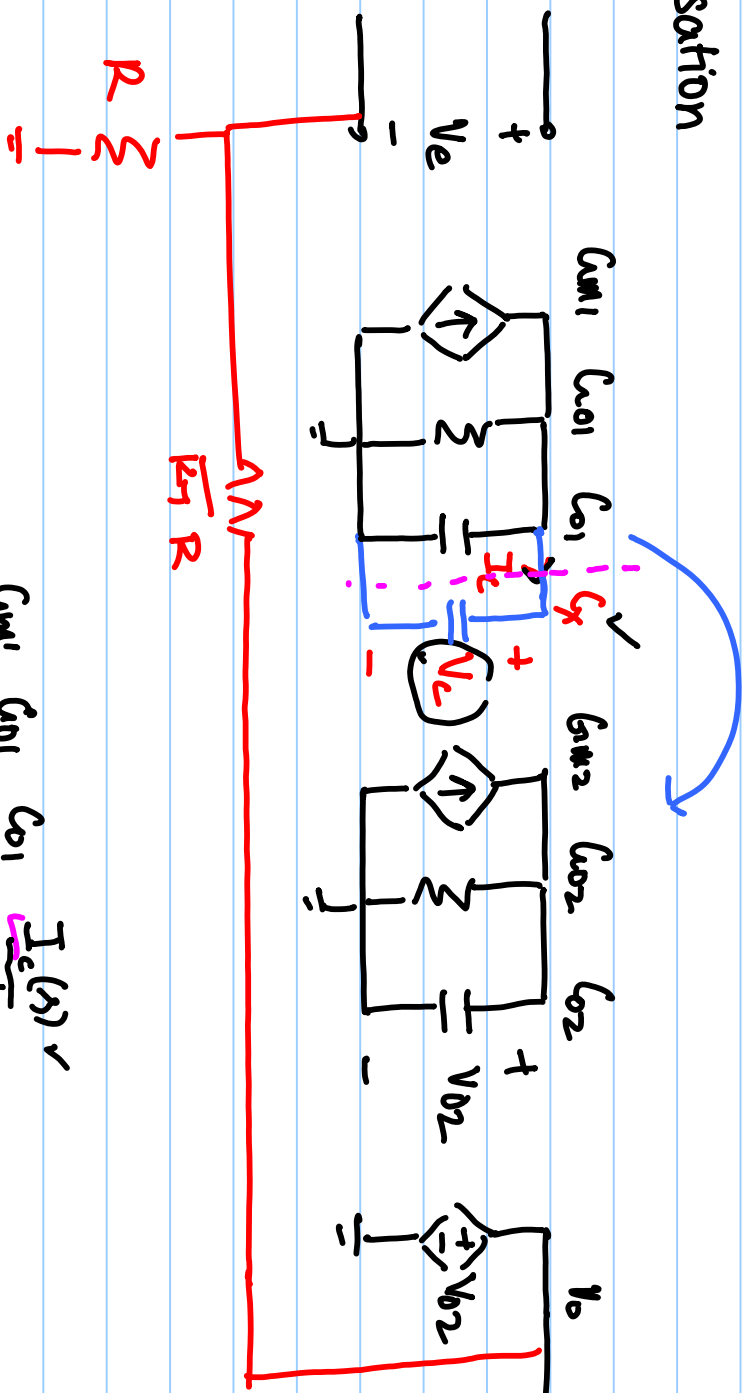
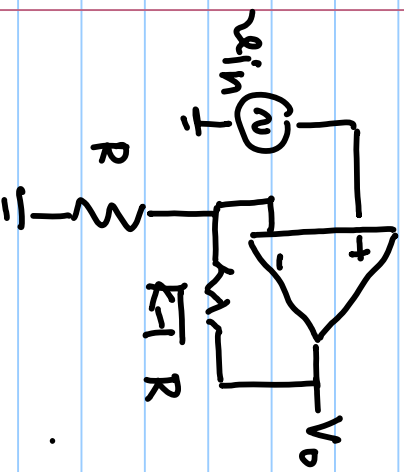
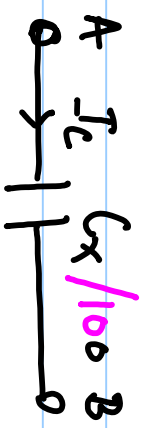


"Dominant Pole" compensation



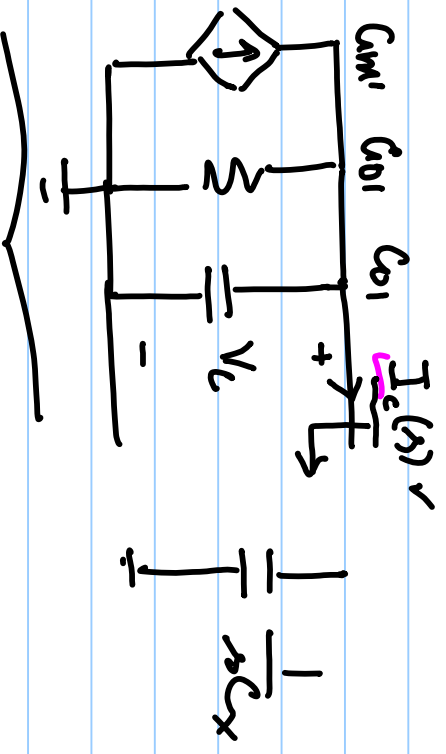
$I_c(s) = V_c(s) \times s C_x$  ✓



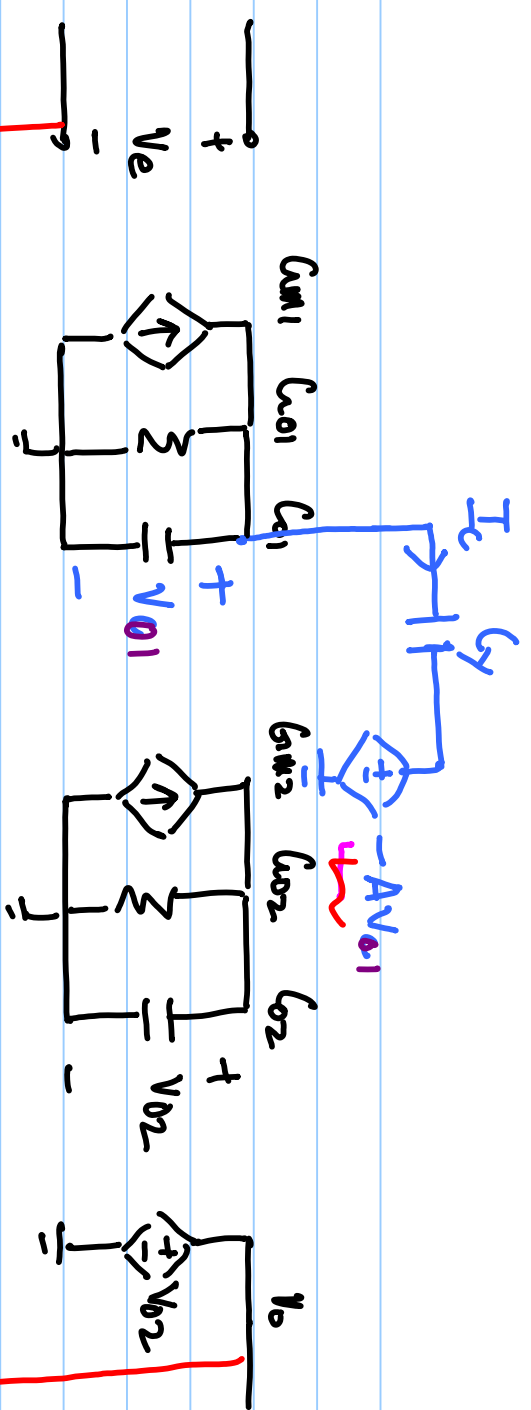
$V_c(s) \times s C_x$  ✓

$(V_c - (-9V_c)) \times \frac{s C_x}{10}$  ✓

$(V_c - (-99V_c)) \times \frac{s C_x}{100}$  ✓



$$I_C = \frac{(V_{o1} - (-AV_{o1}))}{1/sC_g}$$



$$I_C = \underbrace{V_{o1}}_{-AV_{o1}} sC_g (1+A)$$

$$= V_{o1} sC_g$$

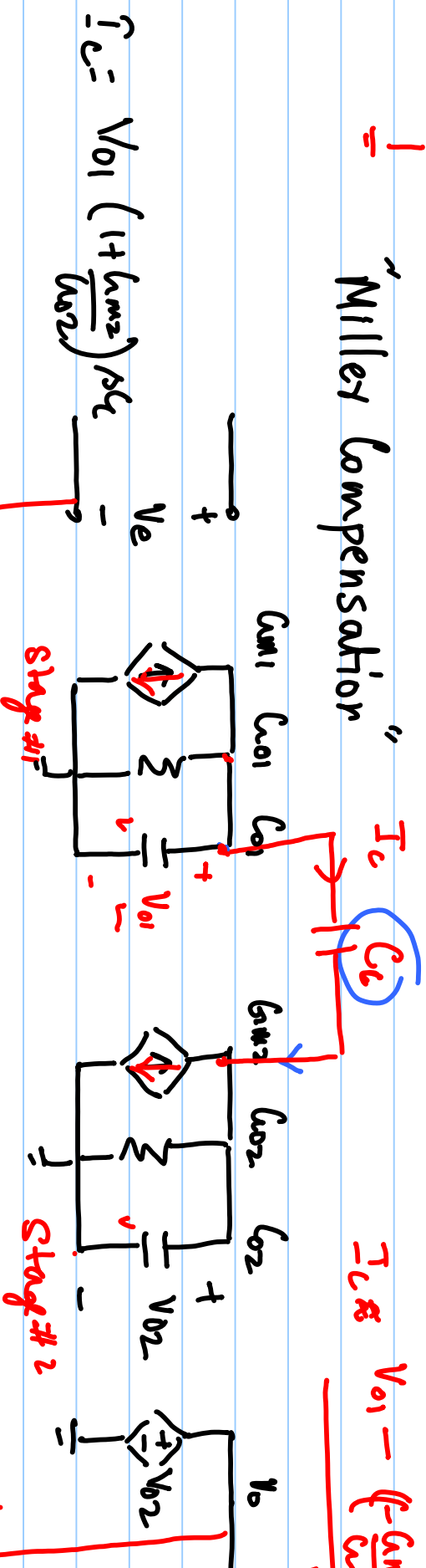
where  $C_g = C_g(1+A)$

$$C_g = \frac{C_x}{1+A}$$

$$C_{M1} V_e = V_{o1} (C_{o1} + sC_{o1}) + I_C$$

"Miller Compensation"

$$I_C \approx \frac{V_{o1} - (-\frac{C_{M2}}{C_{o2}} V_{o1})}{1/sC_c}$$



$$I_C = V_{o1} (1 + \frac{C_{M2}}{C_{o2}}) sC_c$$

$$\frac{V_{o2}}{V_{o1}} = -\frac{C_{M2}/C_{o2}}{1 + sC_c/C_{o2}}$$

$$\begin{bmatrix} \mu_{01} + s\mu_{01} + sC_c & -sC_c \\ \mu_{w2} - sC_c & \mu_{02} + s(\mu_{02} + C_c) \end{bmatrix} \begin{bmatrix} Y_{01} \\ Y_{02} \end{bmatrix} = \begin{bmatrix} -\mu_{w1} Y_c \\ 0 \end{bmatrix}$$

$\underline{F} = \mu_{w1} Y_c$   
 $V = \frac{3}{\omega}$

$$\frac{V_{02}}{V_c} = \frac{\mu_{w1} \mu_{w2} \left(1 - \frac{sC_c}{\mu_{w2}}\right)}{s^2 (C_{01}C_c + C_{02}C_c + C_{01}C_{02}) + s [C_c(\mu_{w2} + C_c(\mu_{01} + \mu_{02})) + C_{01}\mu_{02}] + C_{02}\mu_{01}}$$

Q  $s=0$  ;  $\frac{V_{02}}{V_c} = \frac{\mu_{w1} \mu_{w2}}{\mu_{01} \mu_{02}}$

$$ax^2 + bx + c = 0 \quad \checkmark$$

$$x_1 + x_2 = -\frac{b}{a}, \quad x_1 x_2 = \frac{c}{a}$$

if  $x_1 \gg x_2 \quad \checkmark$

$$x_1 + x_2 \approx x_1 = -\frac{b}{a}$$

$\xrightarrow{x_1 x_2}$

$$x_2 = -\frac{c}{b}$$

$$s = p_1 = - \frac{C_c(\mu_{w2} + \mu_{01} + \mu_{02}) + C_{01}\mu_{02} + C_{02}\mu_{01}}{C_{01}\mu_{02} + C_c(C_{01} + C_{02})}$$

$$p_1 = -\frac{\mu_{02}}{C_{02}} \quad \checkmark$$

$$s = p_2 = -$$

$$\frac{\mu_{01} \mu_{02}}{C_c(\mu_{w2} + \mu_{01} + \mu_{02}) + C_{01}\mu_{02} + C_{02}\mu_{01}}$$

$$p_2 = -\frac{\mu_{01}}{C_{01}} \quad \checkmark$$

$$p_2 = - \frac{C_{01} / C_{01}}{\left[ \frac{C_c}{C_{01}} \left( \frac{\omega_{m2}}{\omega_{02}} + \frac{\omega_{01}}{\omega_{02}} + 1 \right) + 1 + \frac{C_{02}}{C_{01}} \frac{\omega_{01}}{\omega_{02}} \right]}$$

$$H(s) = \frac{1}{1+s/p_1}$$

Pole is @  $-p_1 = s$

Pole is @  $p_1$

$$= - \frac{\omega_{01} / C_{01}}{\frac{C_c}{C_{01}} \left( 1 + \frac{\omega_{m2}}{\omega_{02}} + \frac{\omega_{01}}{\omega_{02}} \right) + \frac{C_{02}}{C_{01}} \frac{\omega_{01}}{\omega_{02}} + 1}$$

$$= - \frac{\omega_{01}}{C_c \left( 1 + \frac{\omega_{m2}}{\omega_{02}} + \frac{\omega_{01}}{\omega_{02}} \right) + \omega_{02} \frac{\omega_{01}}{\omega_{02}} + C_{01}}$$

$$p_1 = - \frac{\omega_{02} + \omega_{01} \left( \frac{C_c + C_{02}}{C_c + C_{01}} \right) + \frac{C_c}{C_{01} + C_c} \omega_{m2}}$$

$$= - \frac{\omega_{02} + \frac{C_{01} C_c}{C_{01} + C_c}}$$

$$|p_1| > \frac{\omega_{02}}{\omega_{02}}$$

$$p_1 \approx \frac{K_{O_2} + K_{O_1} + K_{M_2}}{C_{O_2} + C_{O_1}} \approx \frac{K_{M_2}}{C_{O_1} + C_{O_2}}$$