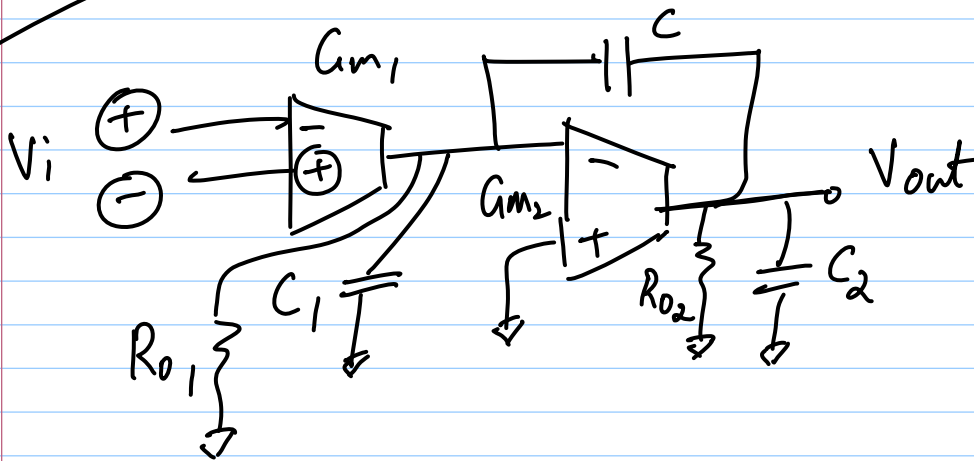


23-2-12

Lec - 20



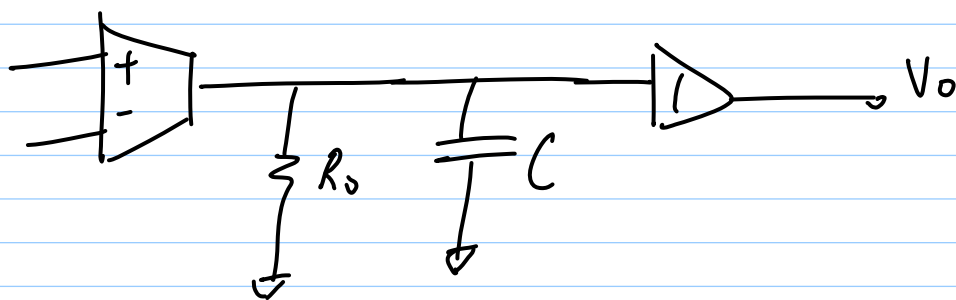
$$a(s) = \underbrace{(G_{m1} R_{o1}) \cdot (G_{m2} R_{o2})}_{\text{DC gain}} \cdot \frac{\left(1 + \frac{s}{z_1}\right)}{s^2(\cdot) + \Delta(\cdot) + 1}$$

Calculate (.1hw)!

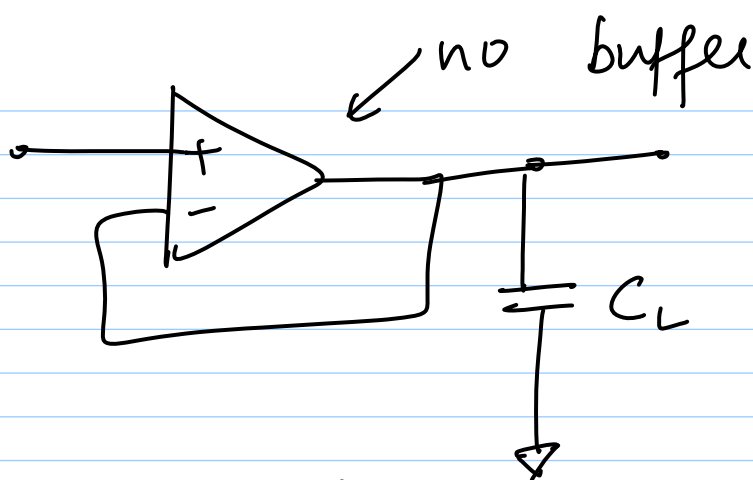
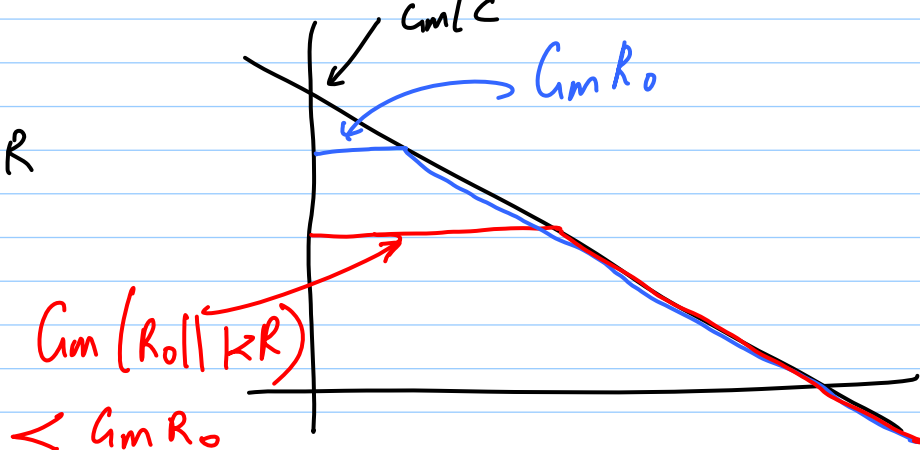
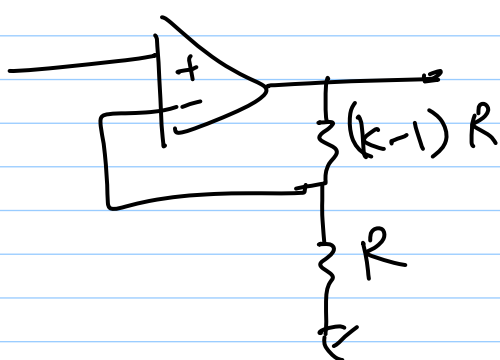
\* Transfer fn.

\* Zeros

\* Approx. location for poles



No buffer  $\Rightarrow$  DC gain w/ f.b.  $\downarrow$

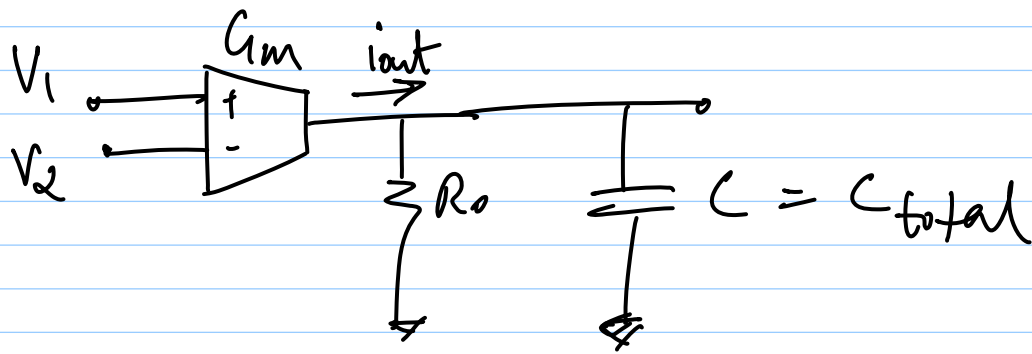


$$* \omega_u = \frac{G_m}{C + C_L}$$

\* steady state error doesn't change

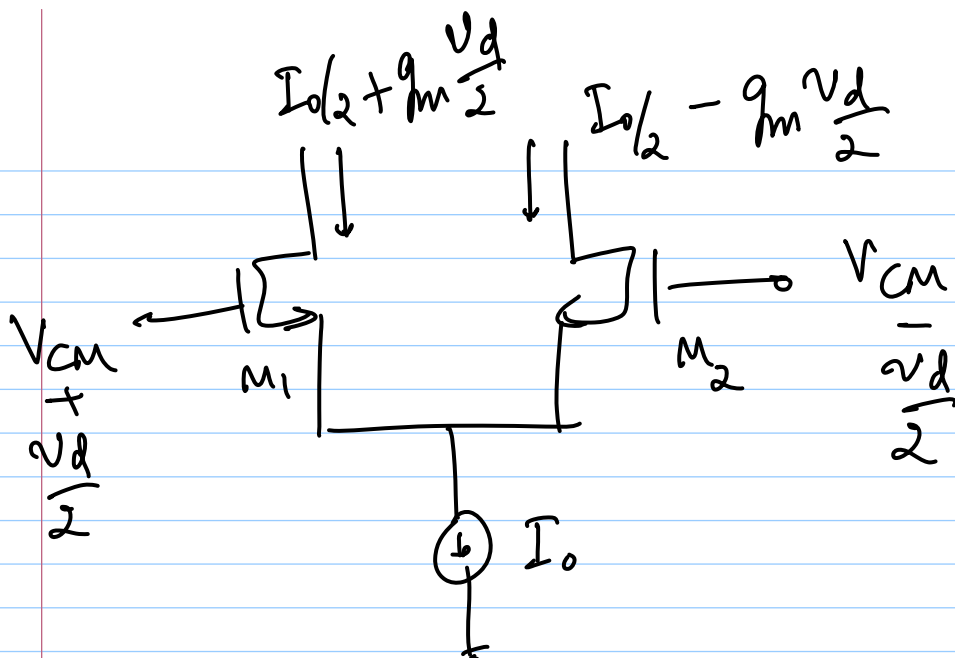
$\rightarrow$  cap. loads  $\Rightarrow$  don't need buffer

⇒ Single-stage opamp (purely cap. load)



buffer → source follower  
(major swing limitation)

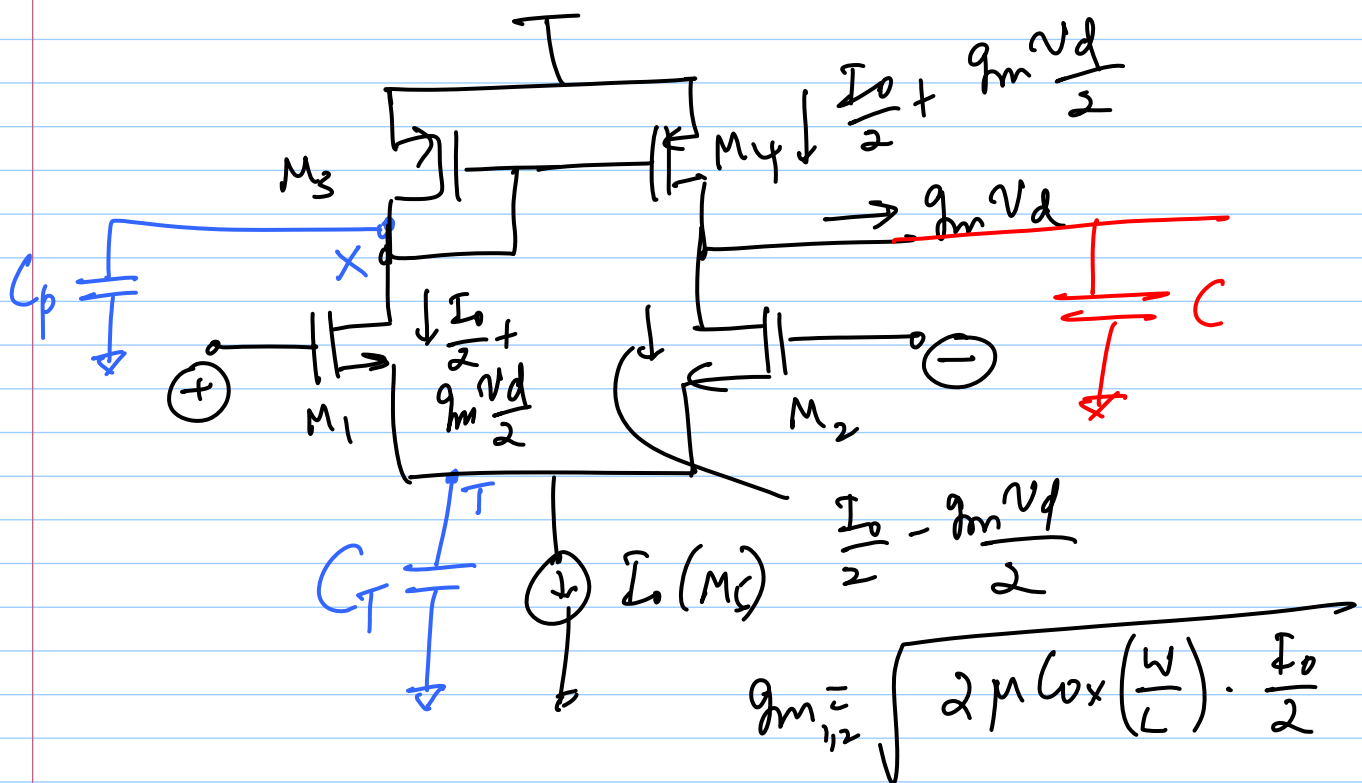
\* ok for general purpose opamps  
w/ large supplies



\* No bias current in  $i_{out}$

\* No wasted signal

## PMOS active load



$$W_u = \frac{g_m}{C}$$

$$\text{DC gain} = \frac{g_m}{g_{ds4} + g_{ds2}} \sim 10/s \text{ to } 200$$

parasitic caps:

$C_p$  @ X

$C_T$  @ T

$V_T = 0$  (virtual node)

when input is differential &  $g_m \gg g_{ds}$

$\Rightarrow$  2nd order system ( $C_T$  has no effect)

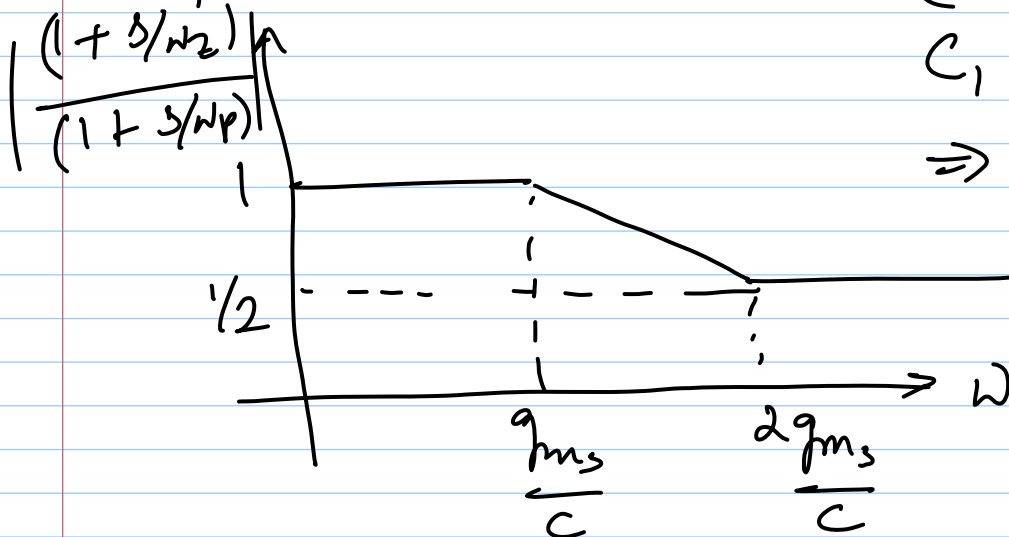
\* If  $C_{gd}$  is ignored, no interaction between poles

\* neglect  $g_{ds}$

$$p_1 = \frac{g_{m3}}{C_p}$$

$$\frac{\left(\frac{g_{m1}}{C}\right) \left[1 + s \frac{C_1}{2g_{m3}}\right]}{s \left(1 + s \cdot \frac{C_p}{g_{m3}}\right)}$$

pole-zero doublet



(a) hi freq.,  
 $C_1$  bypasses  $i_1$   
 $\Rightarrow G_m = \frac{g_m}{2}$ ;  
 $i_{out} = g_m \frac{V_d}{2}$

polarity of phase-shift decides  
 whether LHP or RHP zero

$$\frac{V_o}{V_i}(s) = \frac{g_{m1}}{sC} \frac{1 + \frac{sC_1}{2g_{m3}}}{1 + \frac{sC_1}{g_{m3}}}$$

with  $g_{ds}$  :

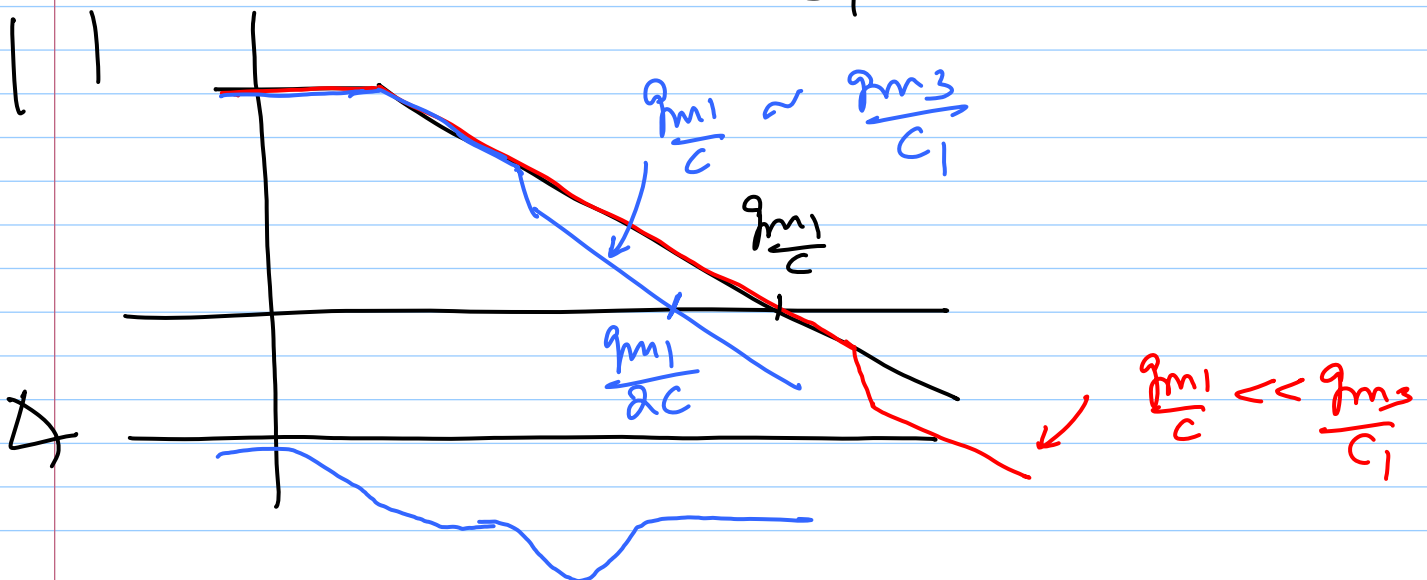
$$= \frac{g_{m1}}{sC + g_{ds2} + g_{ds4}} \cdot \frac{1 + \frac{sC_1}{2g_{m3}}}{1 + \frac{sC_1}{g_{m3}}}$$

$$= \frac{g_{m1}/(g_{ds2} + g_{ds4})}{\left(1 + \frac{sC}{g_{ds2} + g_{ds4}}\right)} \cdot \left( \frac{1 + s \frac{C_1}{2g_{m3}}}{1 + \frac{sC_1}{g_{m3}}} \right)$$

## Stability

in Unity gain config.

\* We want  $\frac{g_{m3}}{C_1} \gg \frac{g_{m1}}{C}$



If f.b. ratio =  $1/k$ ,

$$\frac{g_{m3}}{C_1} \gg \frac{g_{m1}}{C} \cdot \frac{1}{k}$$

Options to maintain stability:  $\frac{g_{m3}}{C_1} \gg \frac{g_{m1}}{C}$

\*  $\uparrow C \Rightarrow$  but, BW  $\downarrow$

\*  $\uparrow g_{m3} \Rightarrow$  but,  $C_1$  also  $\uparrow$

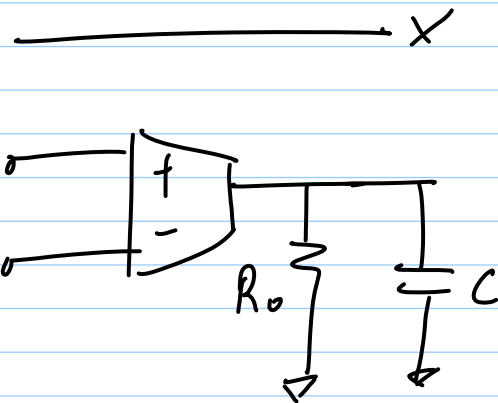
$$C_1 = C_{gs3} + C_{gs4} + C_{db3} + C_{db1}$$

\*  $\uparrow I_0 \Rightarrow g_{m1} \& g_{m3} \uparrow$

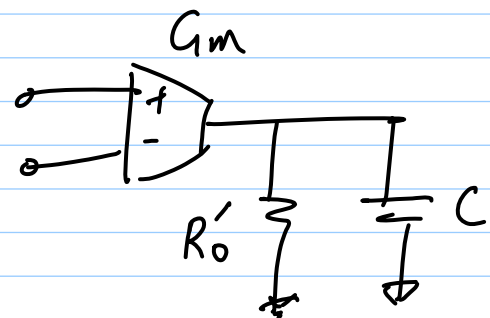
$\uparrow I_0 \not\propto \downarrow \left(\frac{W}{L}\right)_1 \Rightarrow g_{m1} = \text{constant}$   
 $g_{m3} \uparrow$

$\Rightarrow$  Need more power to achieve higher speeds

\* Affects  $V_{ov} \Rightarrow$  swing limits  $\downarrow$



single-stage  
diff-pair opamp



cascode opamp  
 $R'_o \gg R_o$ ;  $G_m = g_m$

$$\omega_a' = \omega_u = \frac{g_m}{C} \quad (\text{same})$$

\* DC gain much larger

\* No better w/ resistive loads