## EE2019-Analog Systems and Lab: Tutorial 6

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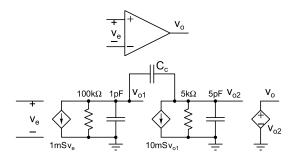


Figure 1: Circuit for problem 1

- 1. Fig. 1 shows the internal schematic of a Miller-compensated opamp. This opamp is used to realize a unity gain, non-inverting amplifier.
  - What is the phase margin?
  - Determine  $C_c$  so that the phase margin is  $60^{\circ}$ .
  - If the same opamp is used without any change to realize an inverting amplifier of gain −4, what are the phase margin and the closed loop bandwidth?
  - Re-design the opamp (value of C<sub>c</sub>) so that when an inverting amplifier of gain -4 is realized using it, the phase margin is 60°. Compare the three cases wrt the following aspects:
    (a) Closed loop bandwidth, (b) phase margin,
    (c) phase lag contributed by the right-half-plane zero at the unity loop gain frequency.
  - Compare the bandwidths you obtain to the ones in the previous tutorial in which you simply increased C<sub>1</sub>.

While determining the unity loop gain frequency, phase margin, and  $C_c$ , do the calculations with and without the approximation  $C_c \gg C_{1,2}$ .

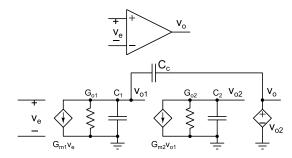


Figure 2: Circuit for problem 2

- 2. Determine the transfer function of the opamp in Fig. 2. How does it differ from the conventional Miller compensated opamp in the previous problem?
- 3. It is common to approximate the unity loop gain frequency as  $\omega_{u,loop} \approx L_0 p_1$  where  $L_0$  is the dc loop gain and  $p_1$  is the dominant pole. If the loop gain is a second order function  $L(s) = L_0/(1+s/p_1)(1+s/p_2)$ , determine the exact unity loop gain frequency and the phase margin for the following cases: (a)  $p_2 = 4L_0 p_1$ , (b)  $p_2 = 2L_0 p_1$ , and (c)  $p_2 = L_0 p_1$ . Compare them to the values obtained using the approximation above.  $L_0 \gg 1$ .

(This approximation is very commonly used for hand calculations, but you should know how much error you end up with while doing so.)