

## Lecture 39

### Equalization in VM o/p driver

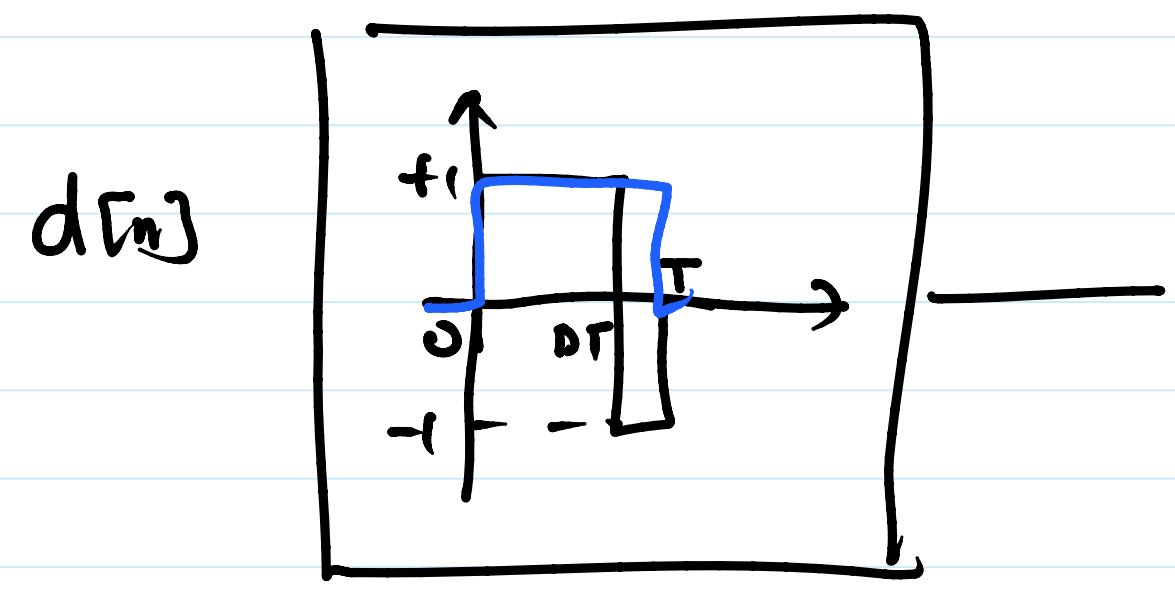
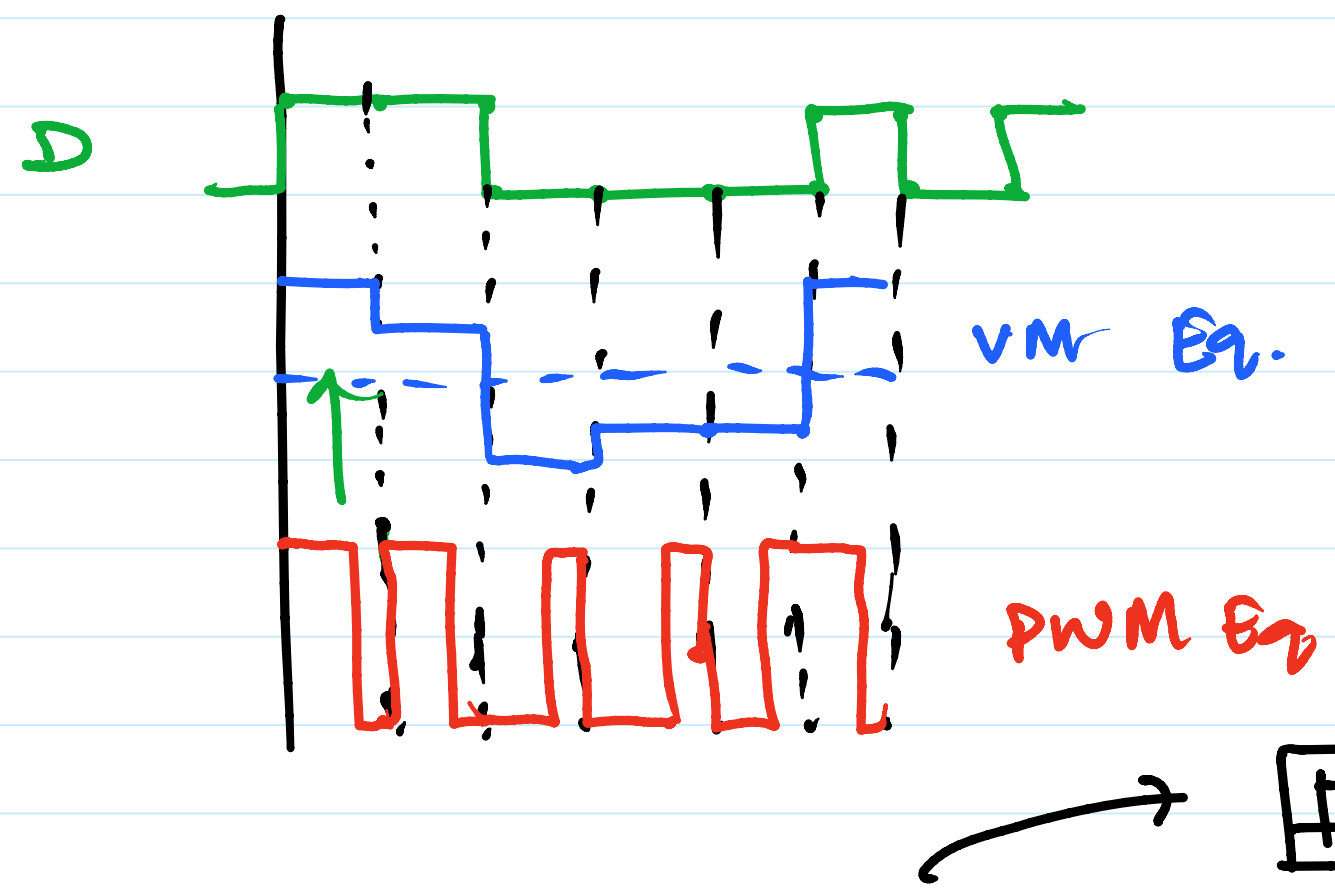
- 1.) Varying conductance linearly w.r.t output swing
  - Non-linear and increased power
- 2.) Varying conductance non-linearly w.r.t o/p swing
  - Constant current consumption  $V_{DD}/4R_T$
- 3.) Varying conductance linearly w.r.t o/p swing
  - non-linear but proportional to o/p swing power consumption
- 4.) PWM (time-based) equalization
  - directly proportional to o/p swing.

Non-linear variation in conduction  $\Rightarrow$  More power consumption

mpion

'n pre-driver

$$h_{eq}(n) = 0.8 \delta(n) - 0.2 \delta(n-1)$$



$\rightarrow$

$$\text{VM eq, } y[n] = d[n] * h_{eq}(n) = 0.8d[n] - 0.2d[n-1]$$

$\downarrow$   
 $0.8\delta(n) - 0.2\delta(n-1)$

$$y(t) = (0.8d[n] - 0.2d[n-1]) * p(t) \quad \left. \begin{array}{l} u(t) - u(t-T) \\ T \text{ bit} \end{array} \right\}$$

$$y(t) = \sum_{k=-\infty}^{\infty} (0.8d[k] - 0.2d[k-1]) p(t-kT) \quad nT < t$$

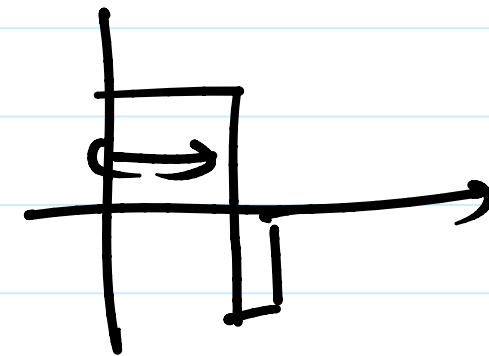
-T)

period

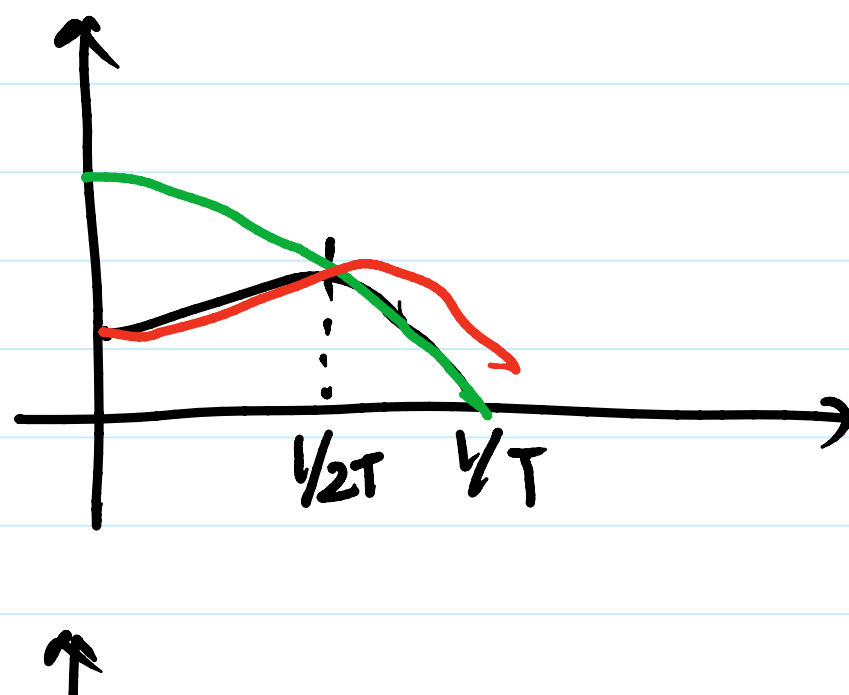
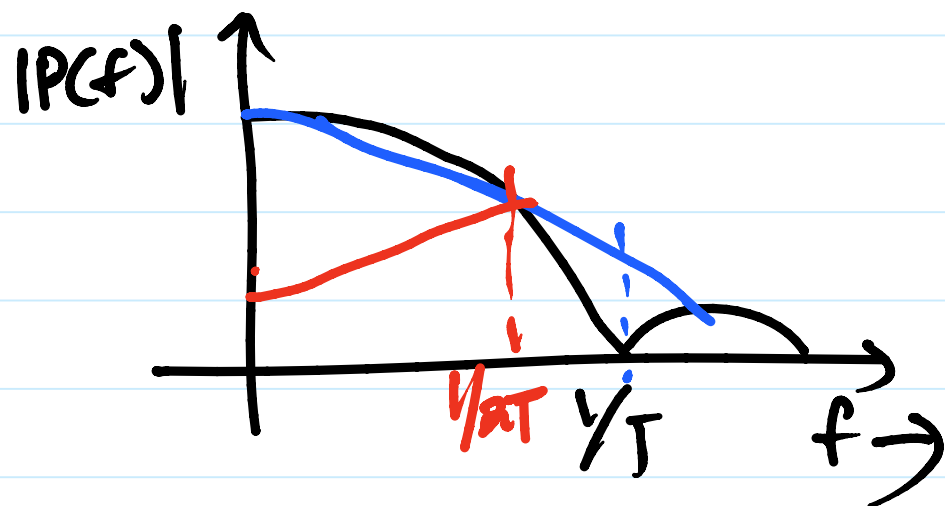
$\langle (n+1) \uparrow$

$$p(t) = (u(t) - u(t-DT)) - (u(t-DT) - u(t-T))$$

$$= u(t) - 2u(t-DT) + u(t-T)$$



$$y(t) = d[nT] * p(t)$$



NRZ -  $u(t) + u(t-T) = p(t)$

$P(f) = \text{sinc}$

PWM -  $u(t) - 2u(t-DT) + u(t-T)$

FIR-2 / PWM ('D' duty cycle)

2 taps

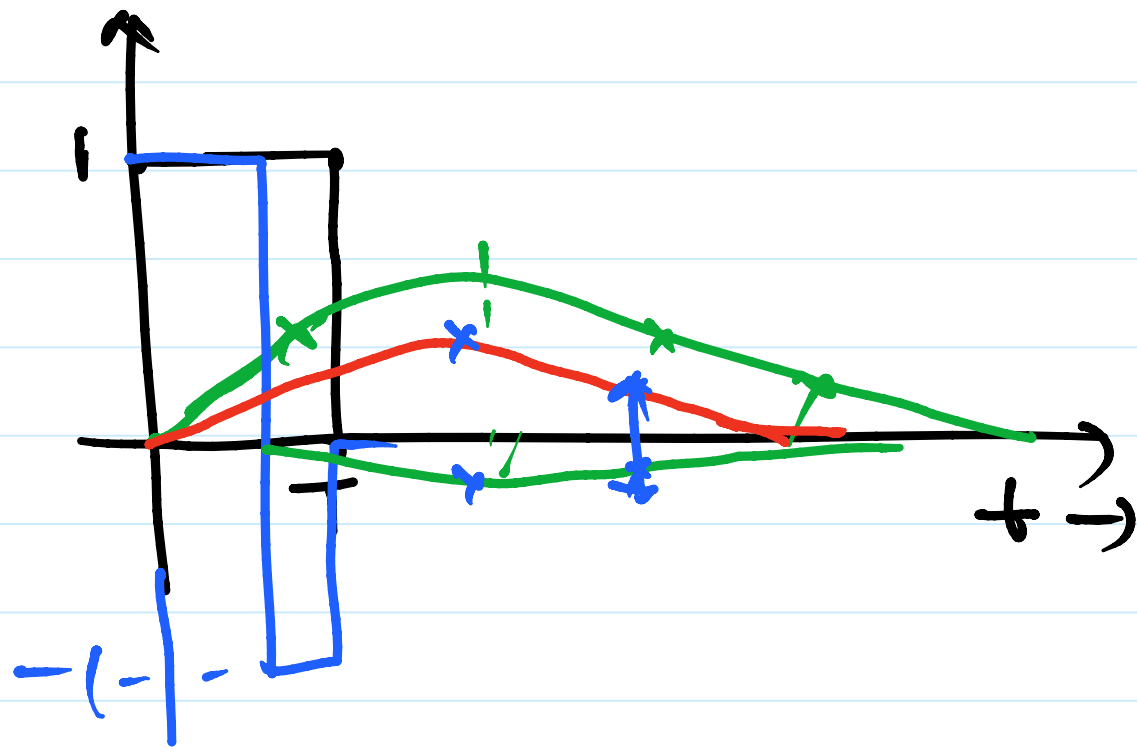
Move loss

Main Cursor + Pre or Post

)

$$u(t - \tau) = p(t)$$

ycle control)  
compensation.



$$H_{ch}(z) = 1 + \alpha z^{-1}$$

$$H_{eq}(z) = \frac{1}{1 + \alpha z^{-1}}, \quad y_{Tx}(n) = d[n] * h_{eq}(n)$$

$\max[y_{Tx}(n)]$  is limited by supply

$$y_{Tx}(n) = \sum d[k] h_{eq}(n-k)$$

$$H_{eq}(z) = (1 + \alpha z^{-1})^{-1} = \sum (-1)^k \alpha^k z^{-k}$$

$$h_{eq}(n) = \sum (-1)^k \alpha^k \delta(n-k) \Rightarrow y_{Tx}(n) = \sum (-1)^k \alpha^k d[n-k]$$

y voltage

$$\int_0^k \omega^k d[n-k]$$



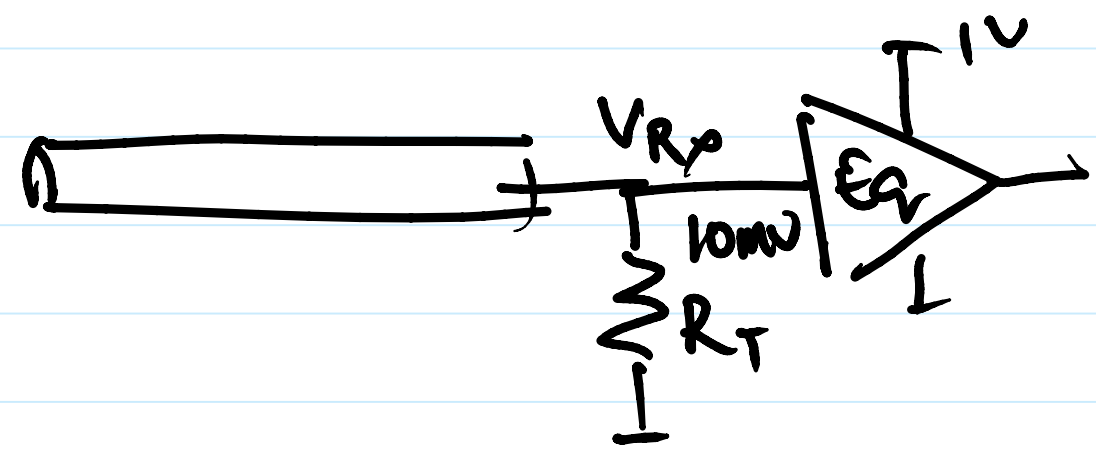
$$\max. (y_{Tx}(n)) = \sum_{k=0}^{\infty} (1-\alpha)^k |1-\alpha^k| = \sum_{k=0}^{\infty} \alpha^k = \frac{1}{1-\alpha}$$

$$y_{Tx}(n) = V_{sup} \frac{1}{1-\alpha} \sum d[k] h_{eq}(n-k)$$

$$y_{Rx}(n) = y_{Tx}(n) * h_{ch}(n)$$

$$= (1-\alpha) V_{sup}$$

⇒ Supply limit actually



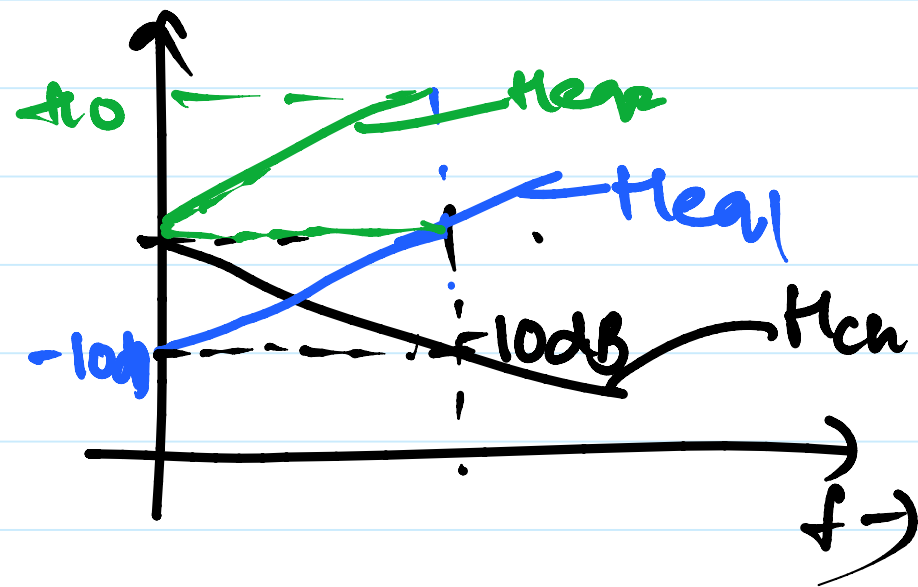
Pre-emphasis — increase  
 De-emphasis — decrease

$\frac{1}{\alpha}$

y lowers received  
signal swing.

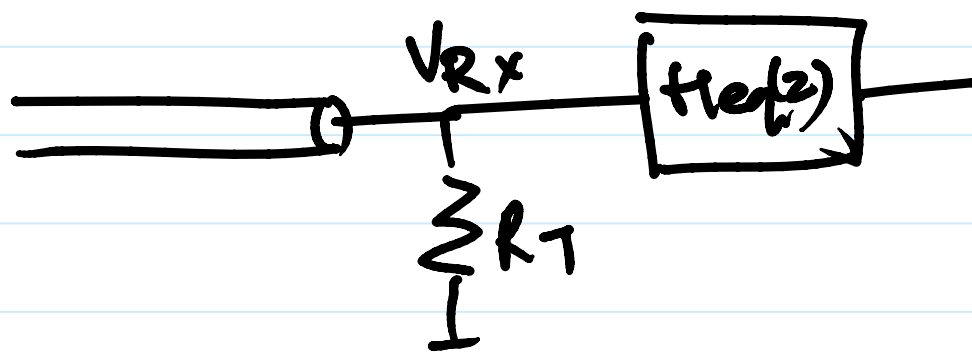
reased signal amp.  
fter eq.

reased signal amp



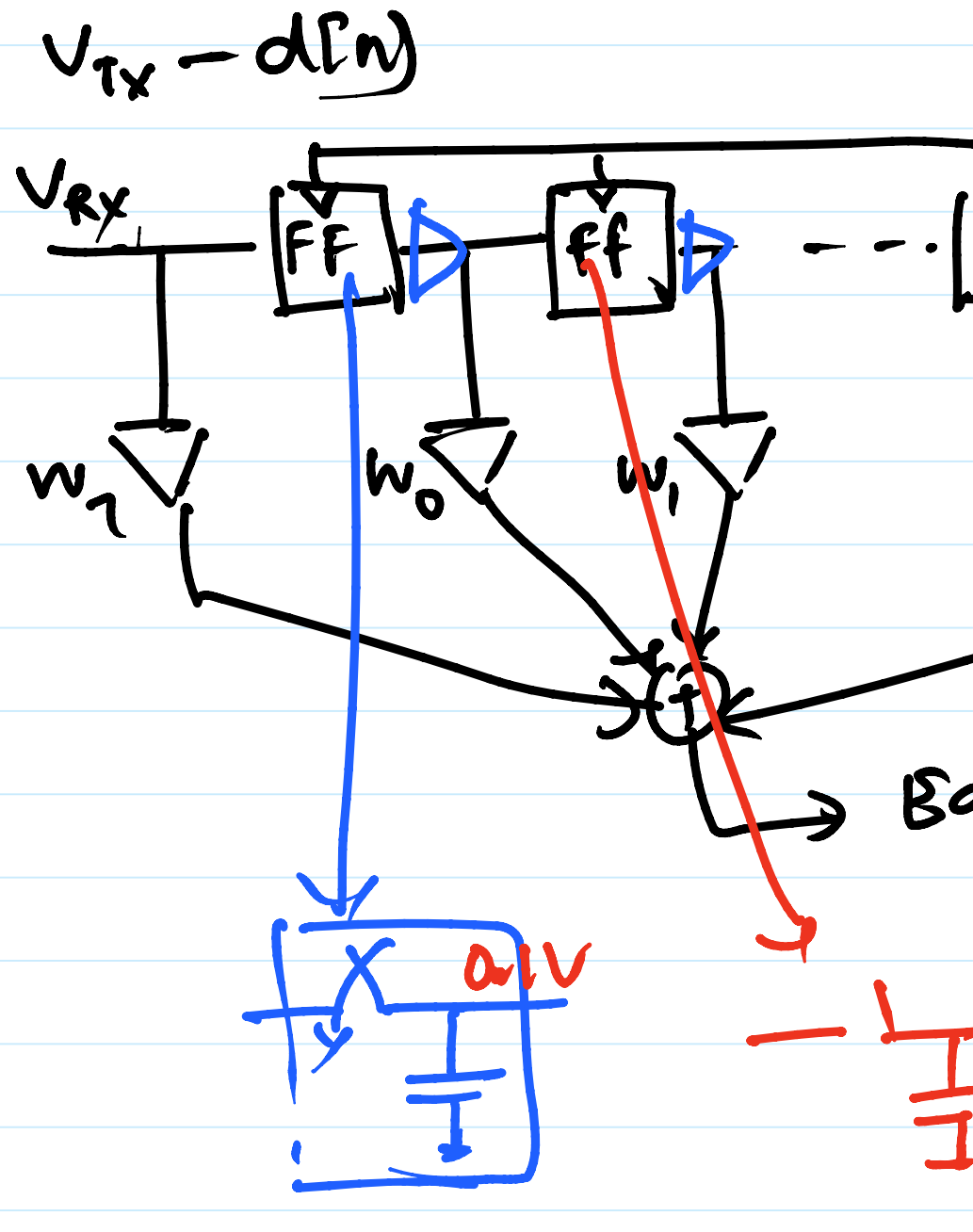
$H_{eq1}$  — de-emphasis  
 $H_{eq2}$  — pre-emphasis

### Equalization on rx. side

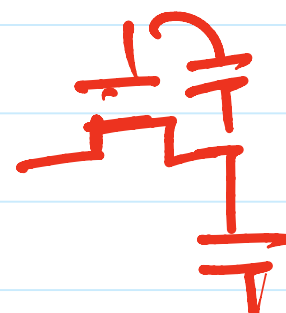


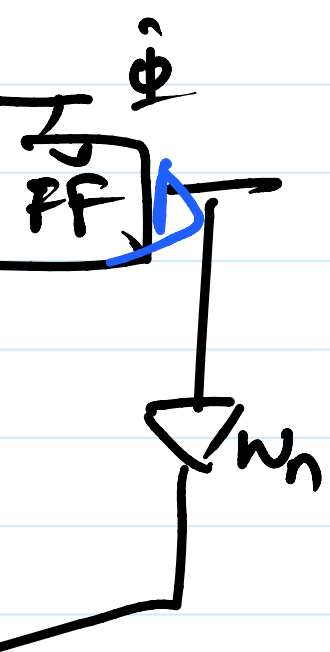
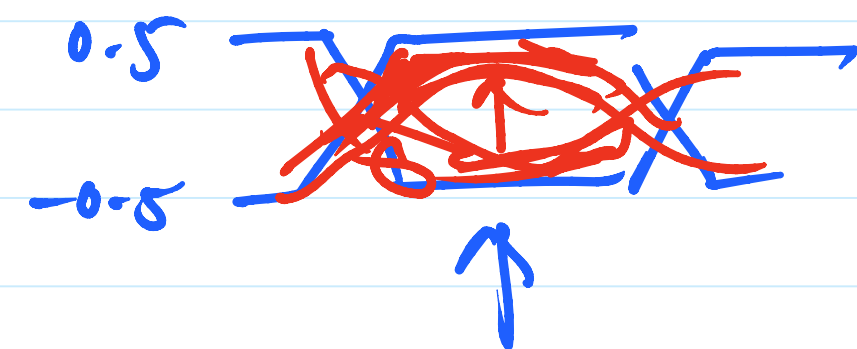
On Tx side — Digital FF

On rx side — Analog ff



1) CLK-a-delay.





416  $\text{Gb/s}$   
 $T = 25 \text{ ps}$

Equalized Response

5th tap  
 0.090

- 1) Clk - a - delay
- 2) Clock feedthrough
- 3) Leakage of hold voltage.



