

*A 16MHz BW 75dB DR CT  $\Delta\Sigma$  ADC  
Compensated for More Than One Cycle  
Excess Loop Delay*

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20 September 2011

## *Motivation*

Maximize the signal bandwidth of a continuous-time  $\Delta\Sigma$  modulator in a given process technology

- SQNR increases with order, OBG
  - For low OSR, SQNR doesn't increase much with order
  - OBG limited to  $\sim 3$  by stability considerations
- $\Rightarrow$  Sampling rate (OSR) must be increased
  - Shorter sampling period
  - Process sets a lower limit on ELD
  - ELD can exceed the sampling period

Need a way to compensate ELD exceeding the sampling period

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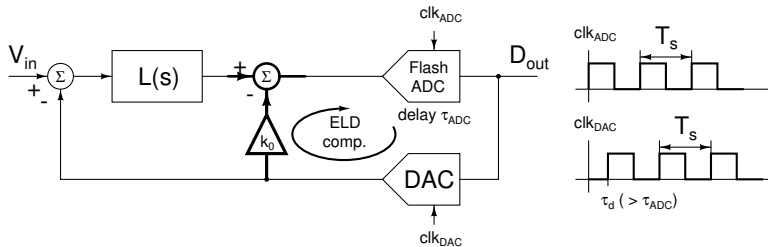
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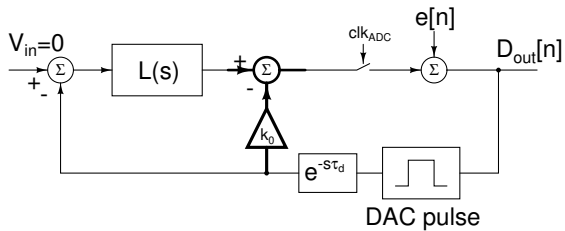
# Outline

- Principle
  - Speed limit of CT  $\Delta\Sigma$  modulators
  - Compensating ELD greater than a clock period
  - Simulation results
- 800 MHz  $\Delta\Sigma$  modulator in a 0.18  $\mu\text{m}$  process
  - Architecture
  - Circuit details
  - Simulation results
- Measured results
- Conclusions

## $\Delta\Sigma$ modulator with ELD compensation

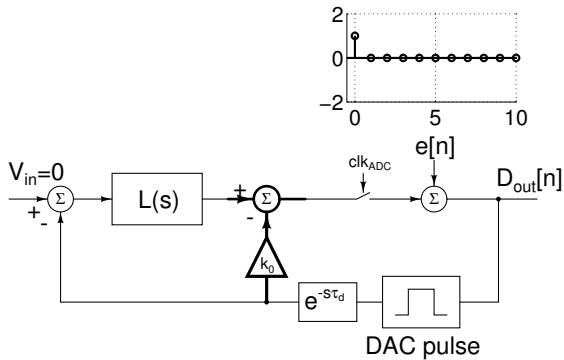


## Noise transfer function (NTF)

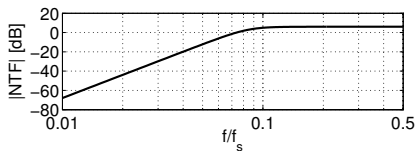
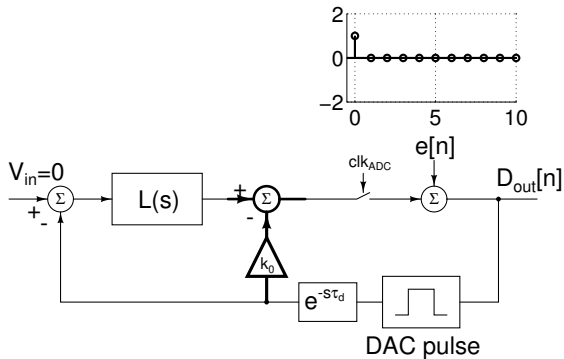




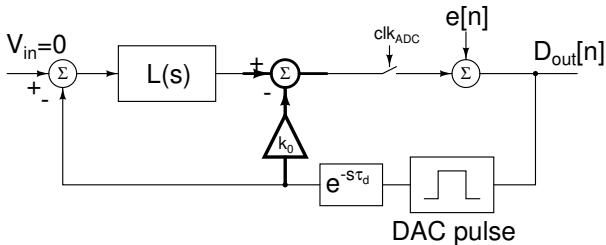
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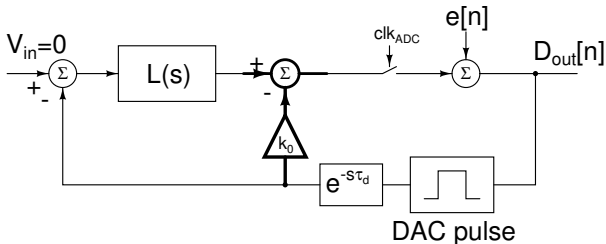


## Limits on ELD compensation



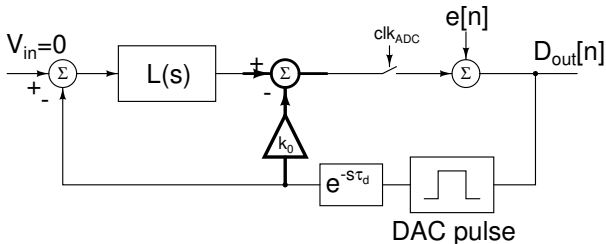
- $k_0$  contributes nothing to  $h_{NTF}[1]$  if  $ELD > T_s$
- In practice, only  $ELD < T_s/2$  can be compensated
- $ELD \geq T_{ADC} \geq T_{ADC,min}$
- **Highest sampling rate is  $\sim 1/2T_{ADC,min}$**

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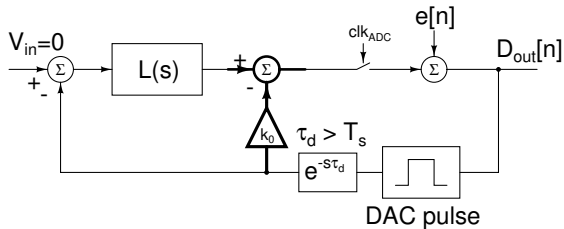
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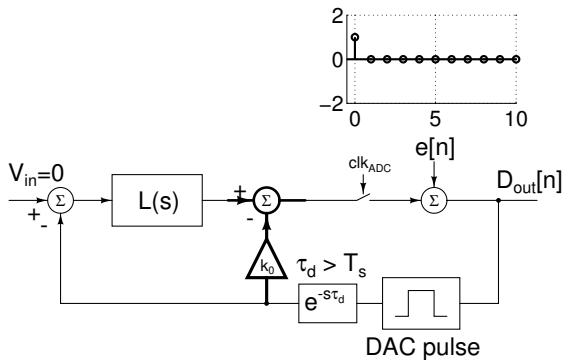


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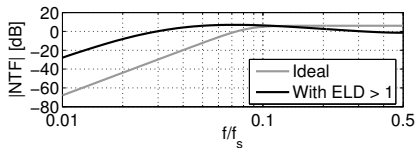
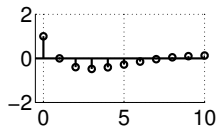
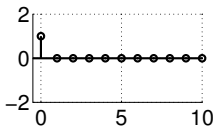
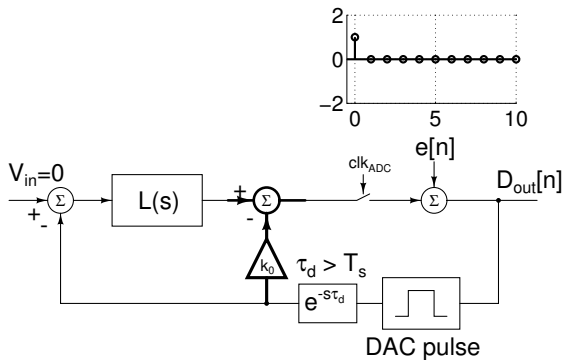
## Conventional compensation for $ELD > T_s$



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# Conventional compensation for $ELD > T_s$





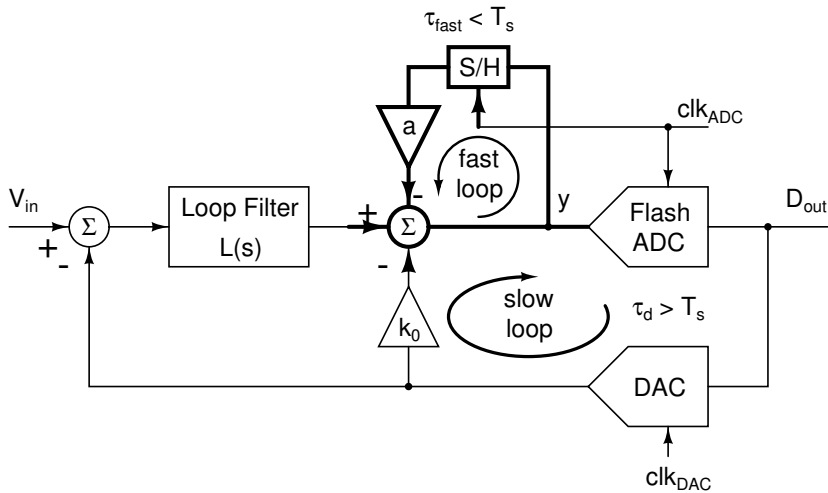
## Stable conventional CTDSMs with $ELD > T_s$

- For a stable, minimum phase NTF with  $h_{NTF}[1] = 0$

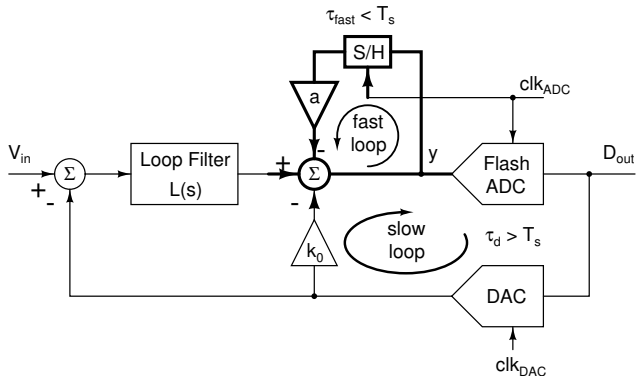
$$\int_0^{\pi} \log |NTF(e^{j\omega})| \cos(\omega) d\omega = 0$$

- $\Rightarrow$  Good NTFs for lowpass modulators cannot be realized with  $h_{NTF}[1] = 0$
- J. Harrison and N. Weste, "Analytic limitations on sigma-delta modulator performance," *Proceedings of the IEEE International Symposium on Circuits and Systems*, vol. 3, 2000, pp. 746-749.

## Fast loop outside the ADC

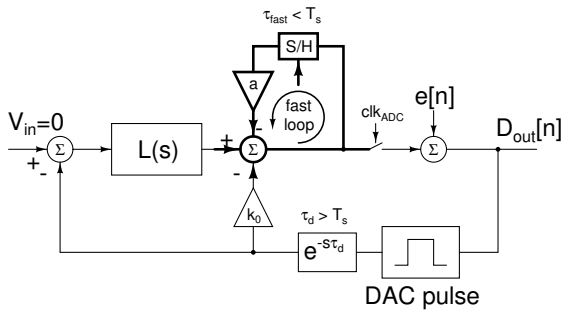


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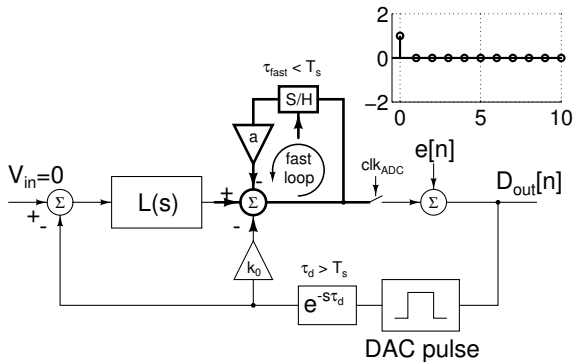


- A. Yahia et al., "Bandpass delta-sigma modulators synthesis with high loop delay," *Proc. IEEE ISCAS*, vol. 1, 2001, pp. 344-347.
- V. Singh et al., "Compensating for quantizer delay in excess of one clock cycle in Continuous-Time  $\Delta\Sigma$  Modulators," *IEEE Transactions on Circuits and Systems: Part II Express Briefs*, vol. 57, no. 9, pp. 676-680, Sep. 2010.

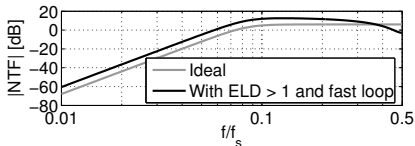
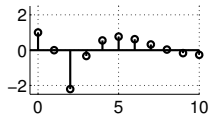
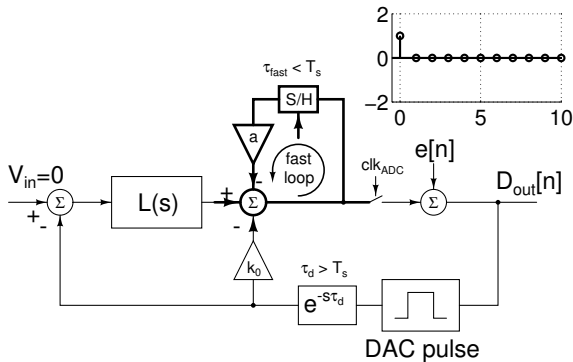
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## *NTF with the fast loop outside the ADC*

$$\text{NTF}_{new}(z) = (1 + az^{-1}) \text{NTF}_{orig}(z)$$

- $\text{NTF}_{new}$  has a zero at  $a > 1$  (outside the unit circle)
- Not a minimum phase NTF
- Demands an increase in order by 1

## *ELD compensation using a fast path outside the ADC*

### **Path $k_0$**

- $ELD \leq T_s/2$  compensated by  $k_0$
- $ELD \geq \tau_{ADC,min}$
- $f_{s,max} \sim 1/2\tau_{ADC,min}$

### **Fast loop and path $k_0$**

- $ELD \leq T_s/2$  compensated by  $k_0$
- $ELD = T_s$  compensated by fast path
- $ELD = 3T_s/2$  compensated in total
- $ELD \geq \tau_{ADC,min}$
- $f_{s,max} \sim 3/2\tau_{ADC,min}$

$f_{s,max}$  can be increased by  $3\times$  in a given process



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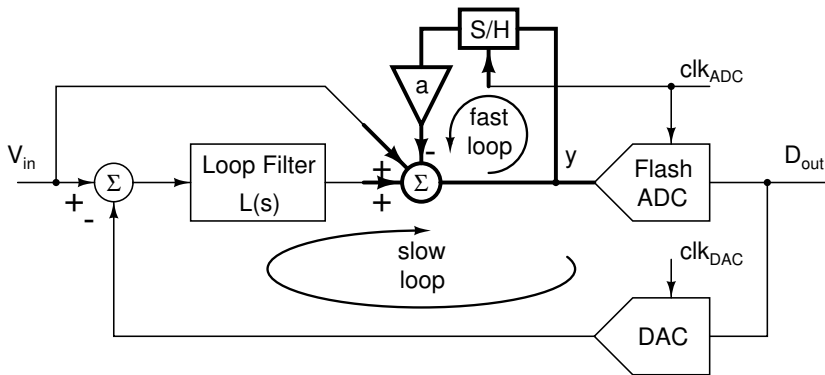
## *800 MHz $\Delta\Sigma$ modulator in a 0.18 $\mu\text{m}$ process*

- Architecture
- Loop filter
- Flash ADC
- Feedback DAC
- Simulation results

## *Prototype DSM architecture*

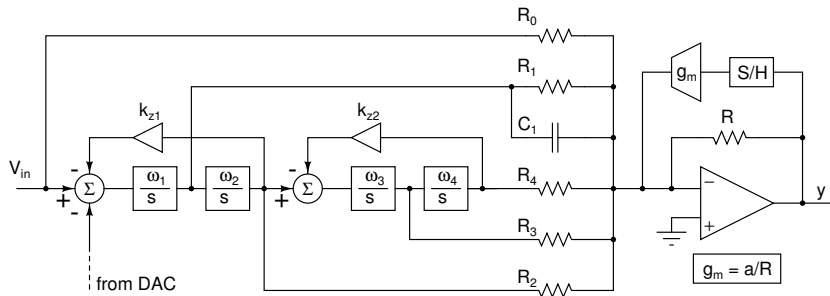
- 0.18  $\mu\text{m}$  CMOS, 1.8 V supply
- Fourth order NTF<sub>orig</sub>
  - OBG=2
  - Fast loop outside ADC
  - Optimized zeros
  - SQNR = 98 dB with OSR = 25
- $f_s = 800$  MHz; BW = 16 MHz
- CIFF loop filter
- 4 bit flash ADC with  $3V_{ppd}$  full scale
- Calibrated current steering DAC

## *DSM block diagram*



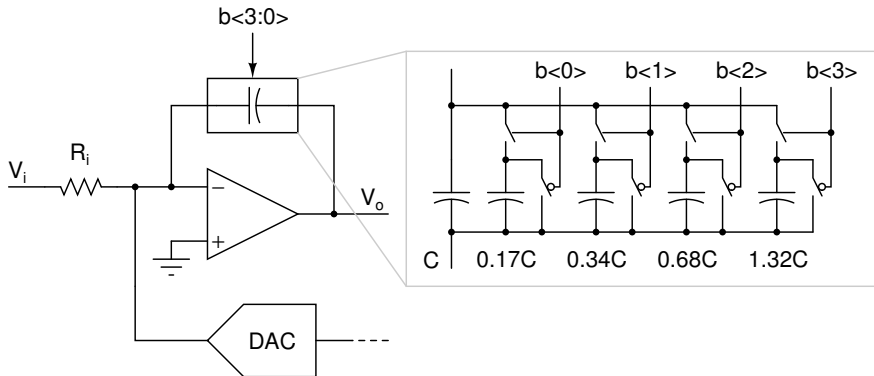
- Feedforward summation of input signal—reduces summing amplifier coefficients

## Loop filter



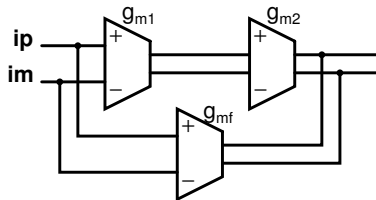
- Active-RC for linearity
- Fast path—S/H and  $g_m$  around the summing opamp
- $k_0$  inside the loop filter
- Integrator output swings scaled down to  $0.8 V_{ppd}$

# Integrator



- 4 bit programmable time constant

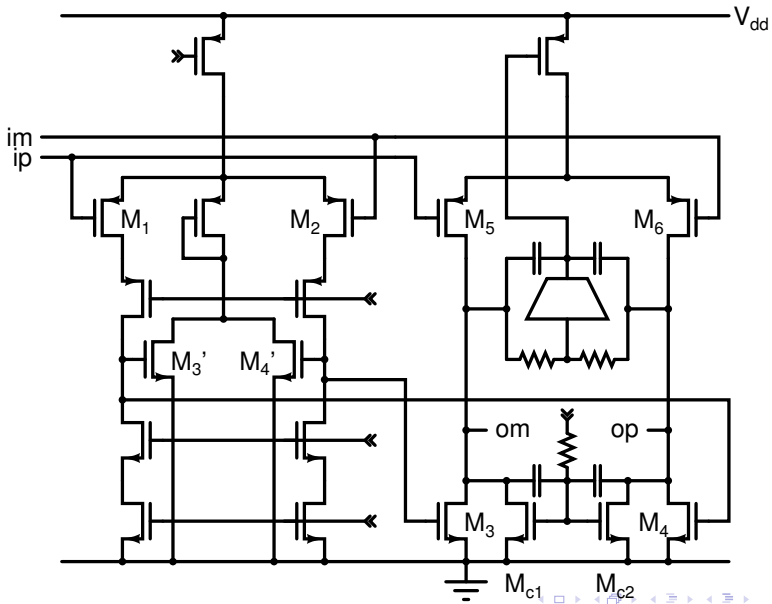
## *First opamp*



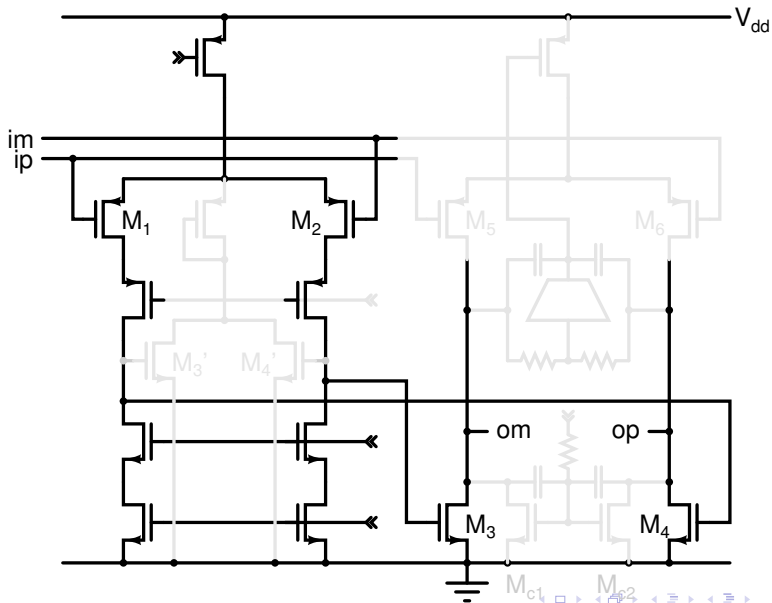
- Feedforward compensated opamp



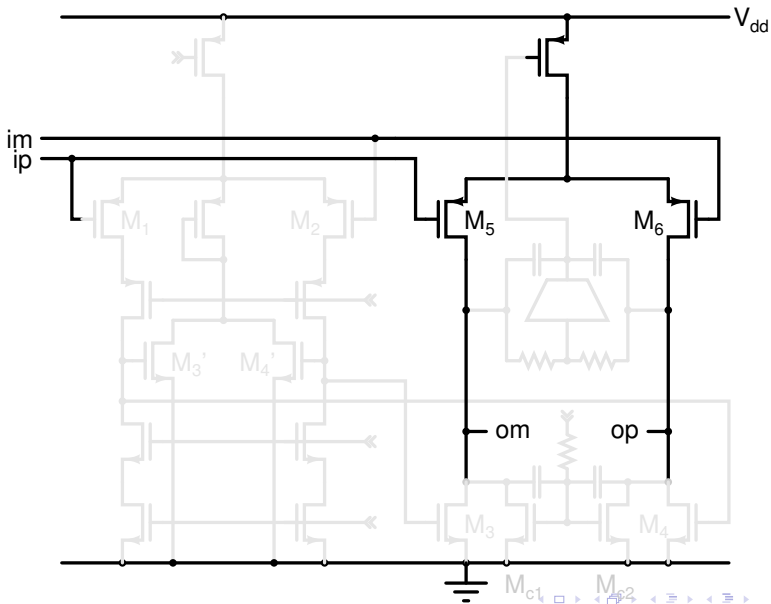
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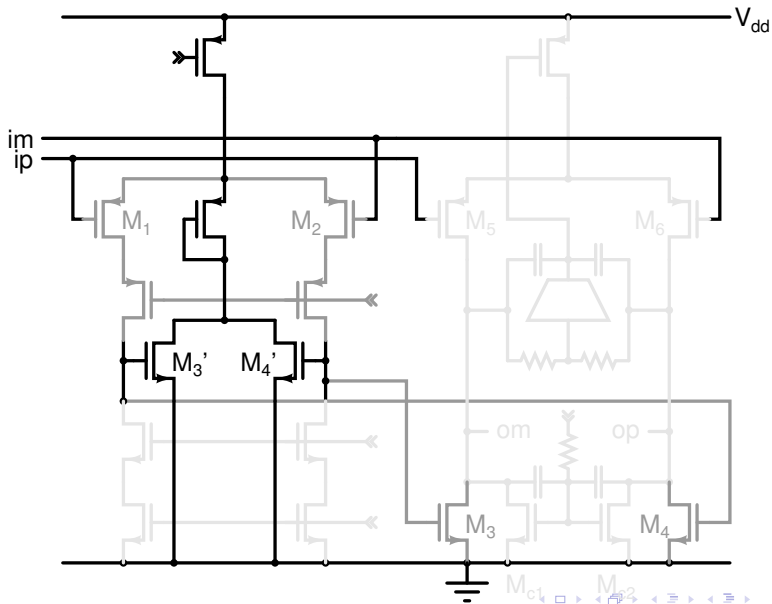
## First opamp—Gain stages



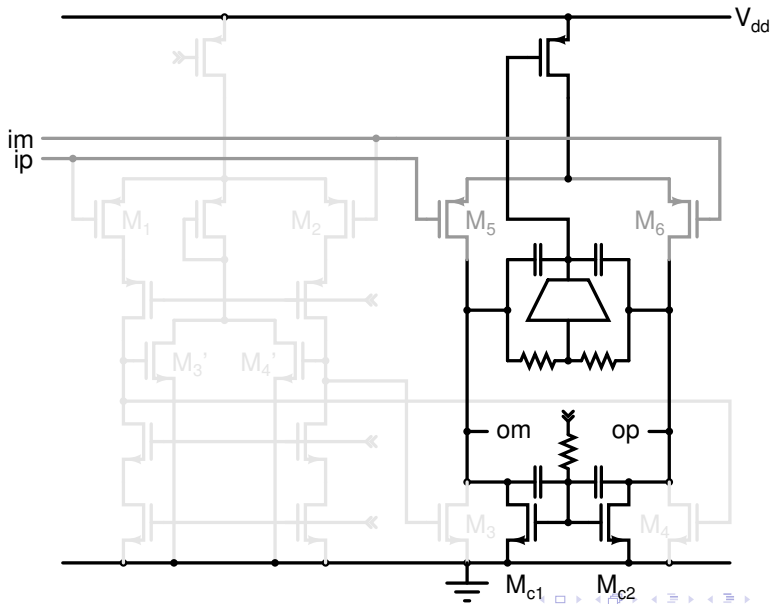
## *First opamp—Feedforward stage*



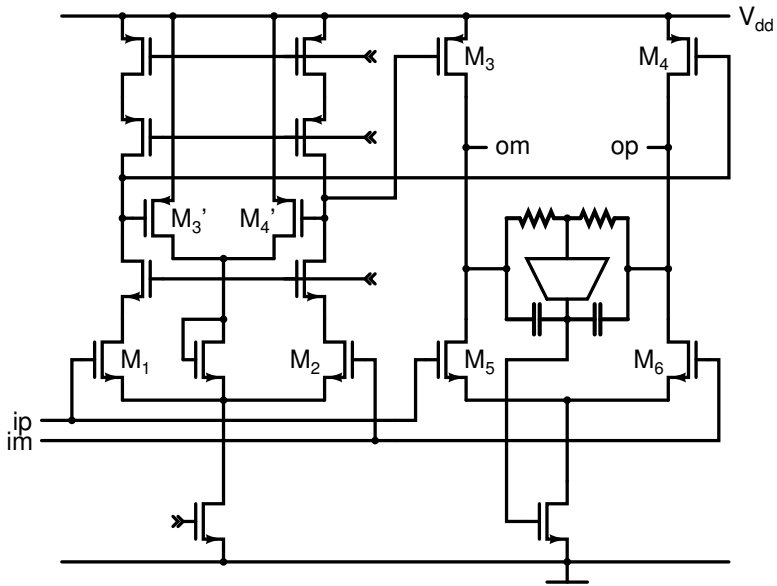
# First opamp—First stage CMFB



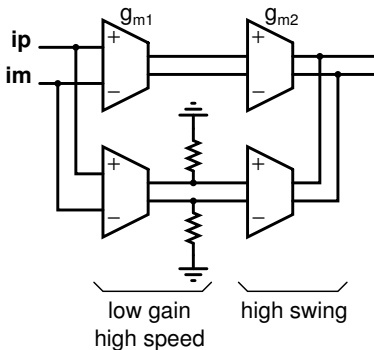
## First opamp—Second stage CMFB



## Second, third, and fourth opamps

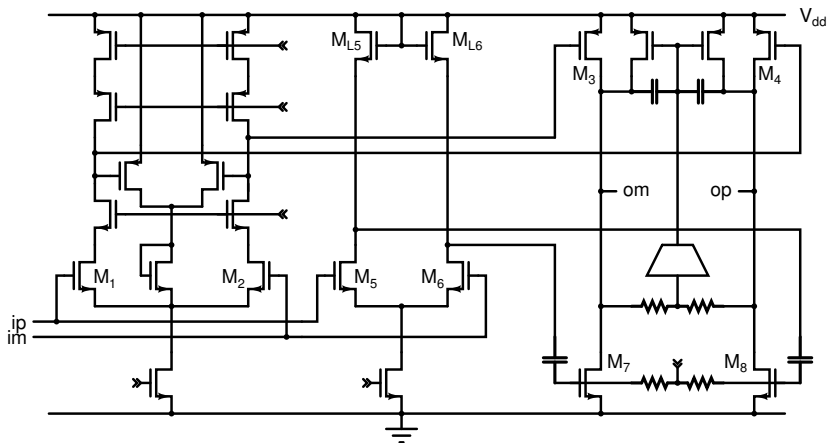


## Summing opamp



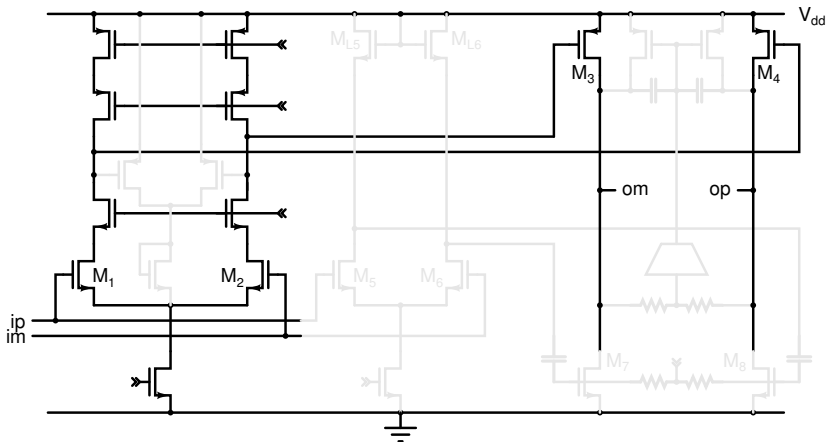
- Feedforward compensated opamp
- Two stage feedforward path to support a high swing

## Summing opamp

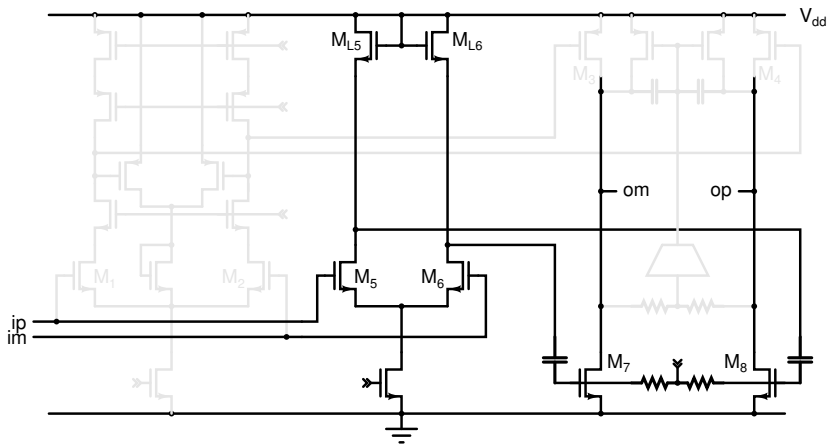




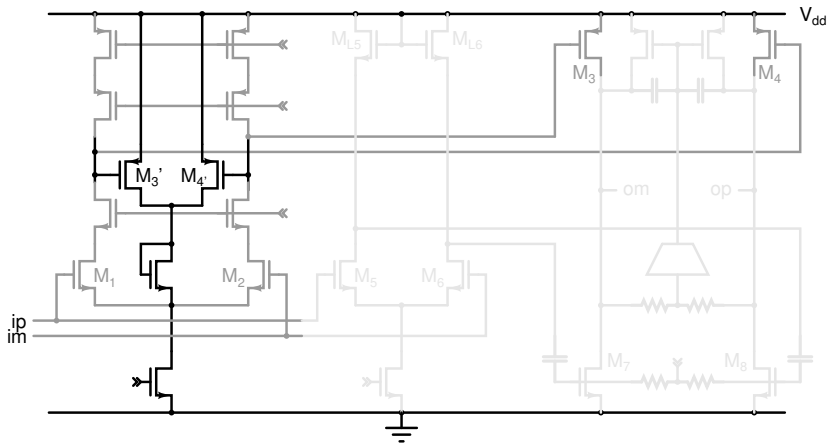
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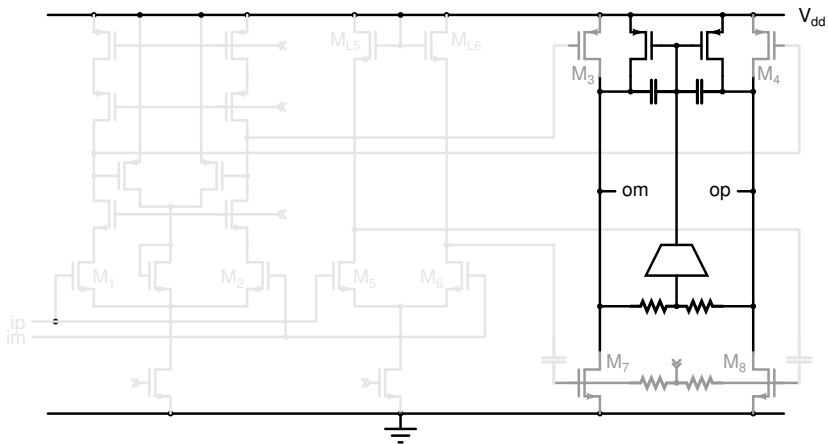
## Summing opamp—Feedforward stage



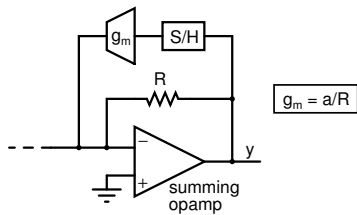
## Summing opamp—First stage CMFB



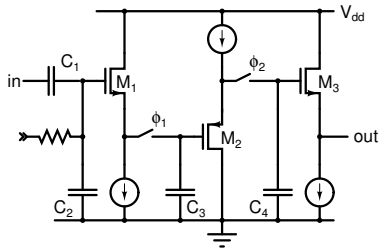
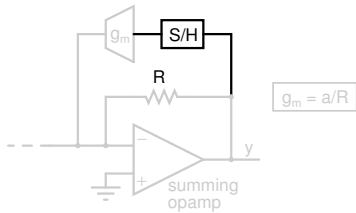
## Summing opamp—Second stage CMFB



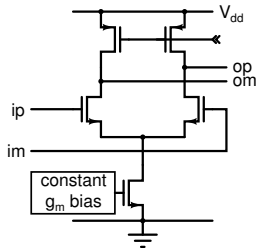
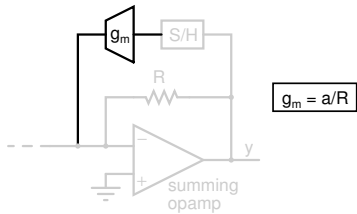
## *Fast path*



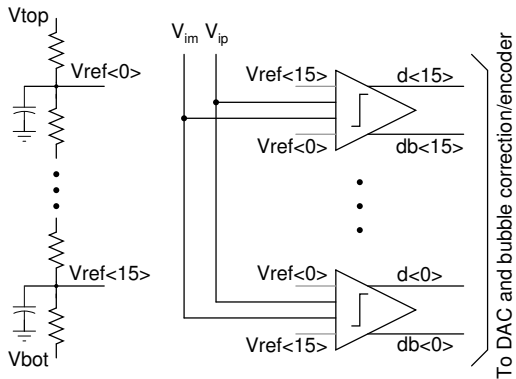
## Fast path—Sample and hold



## Fast path— $g_m$

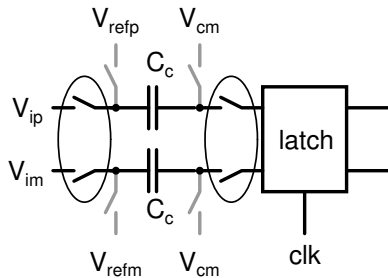
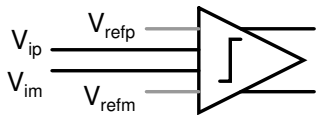


# Flash ADC

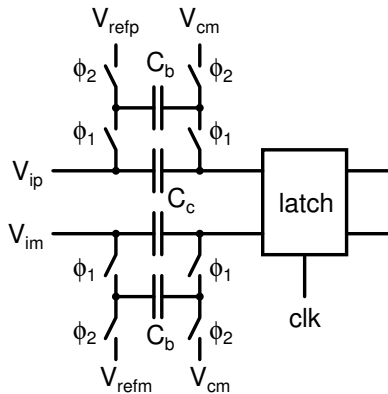
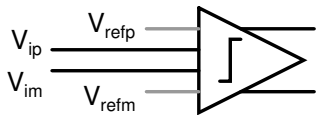




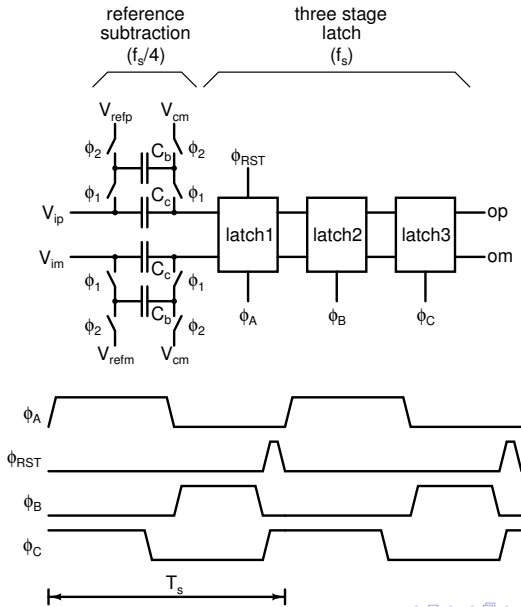
## *Flash ADC—reference subtraction*



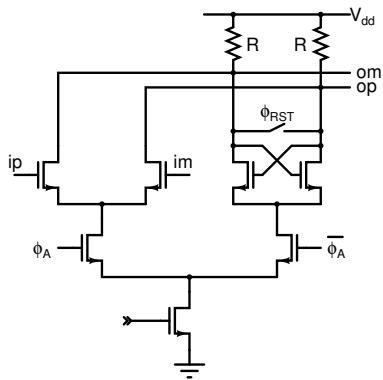
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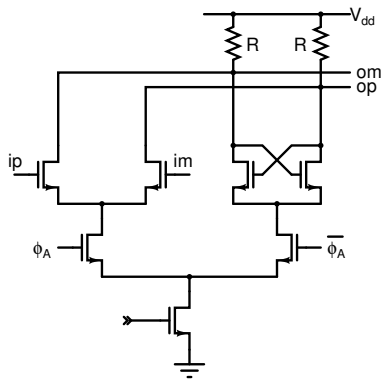
# Flash ADC



# Latch 1



# *Latch 2, 3*



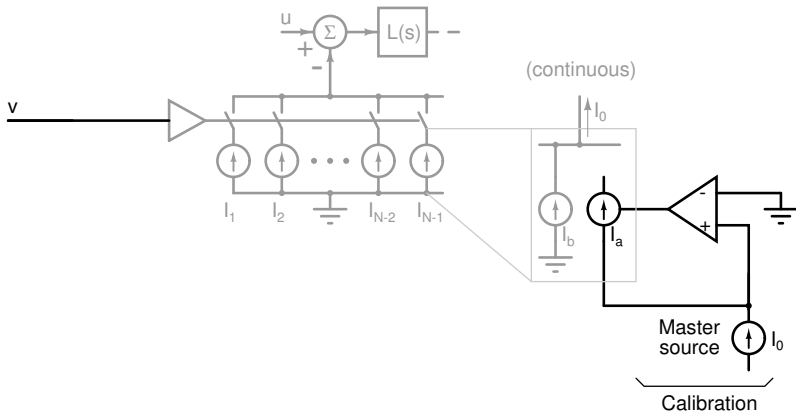
## *Multi bit DAC*

Multi bit DAC suffers from mismatch/nonlinearity

- Dynamic element matching
  - Input switching circuitry for element mapping
- Calibration
  - Input switching circuitry for choosing active sources

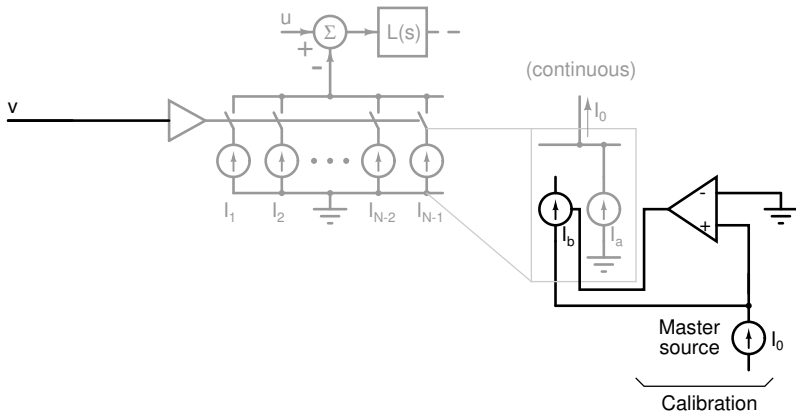
Switching circuitry in the signal path contributes to delay

## *New delay-free calibration technique*



- Each unit has two current sources calibrated alternately
- Each unit provides a continuous output
- No switching in the signal path

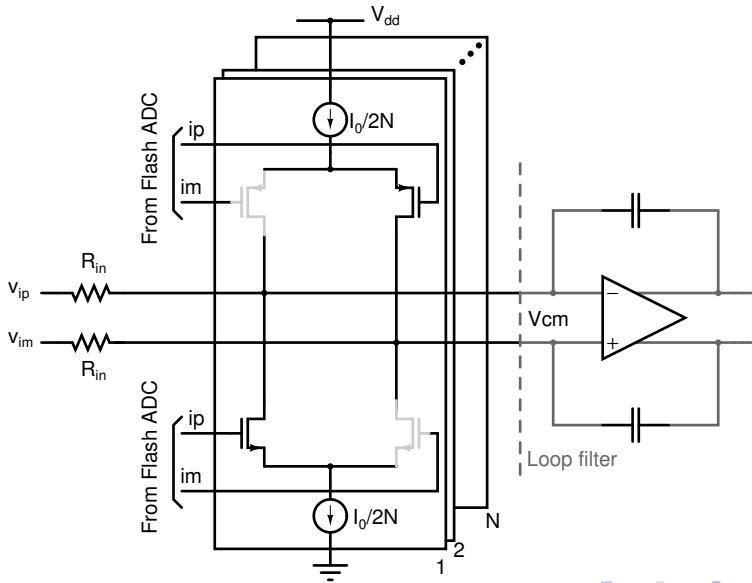
## *New delay-free calibration technique*



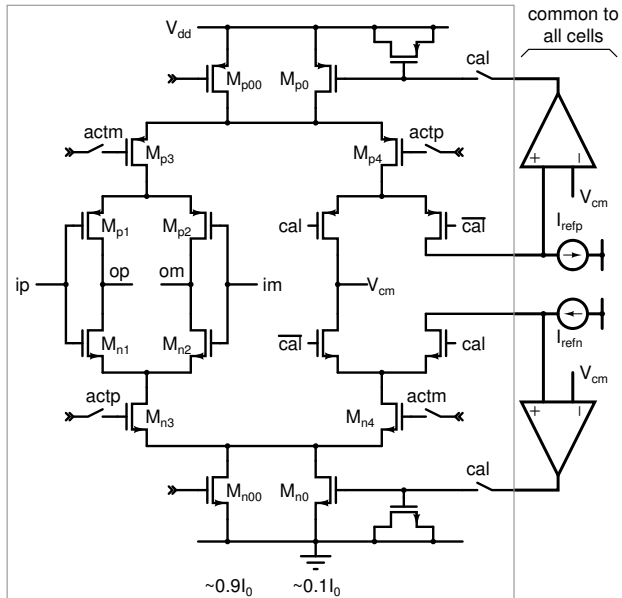
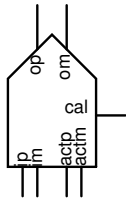
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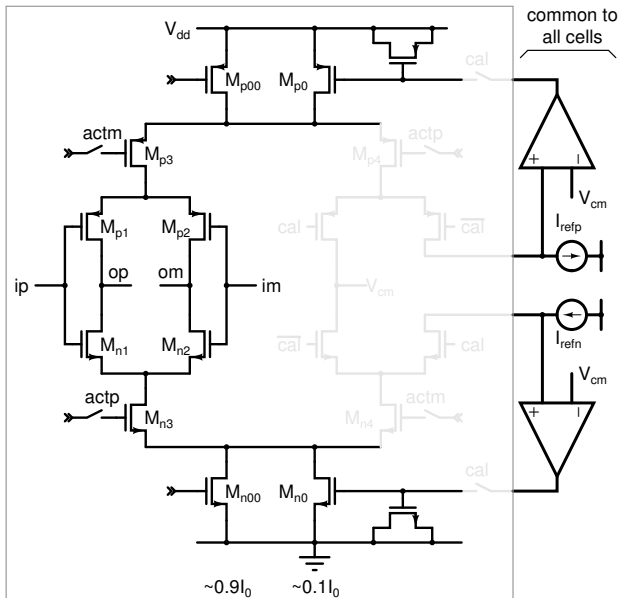
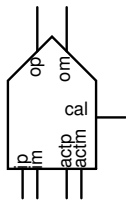
## DAC—*n*MOS and *p*MOS sources



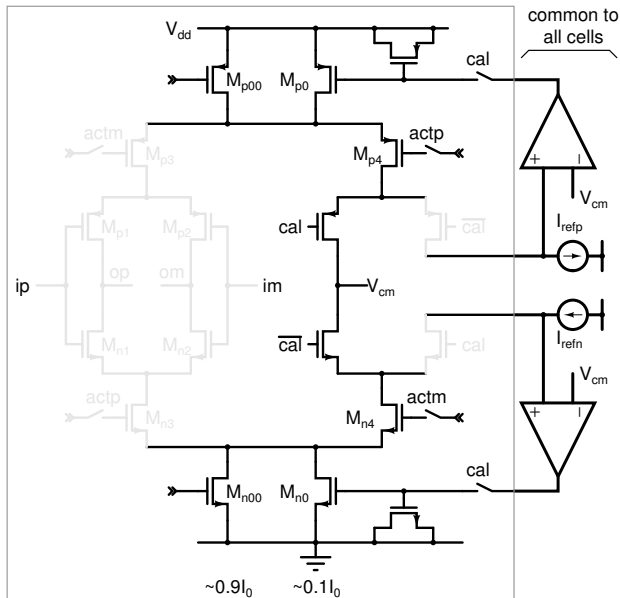
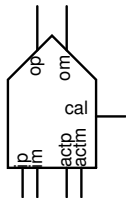
# DAC Cell



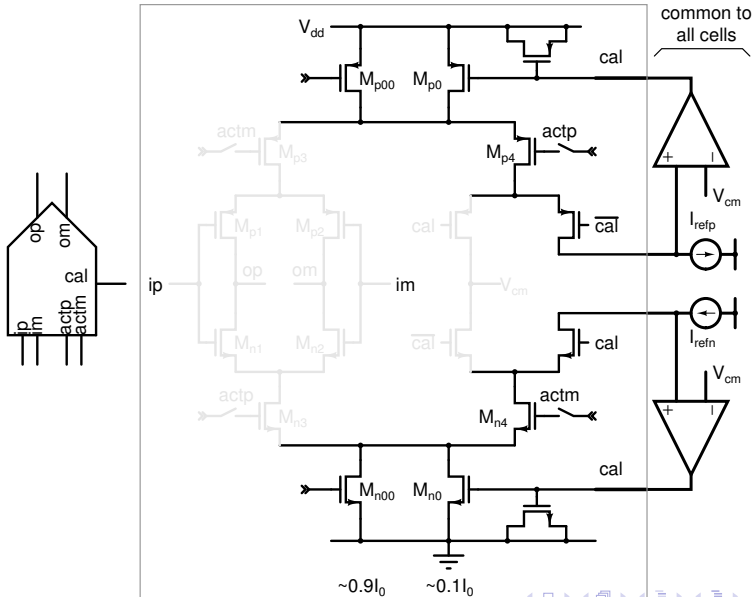
## DAC Cell—active



## DAC Cell—inactive



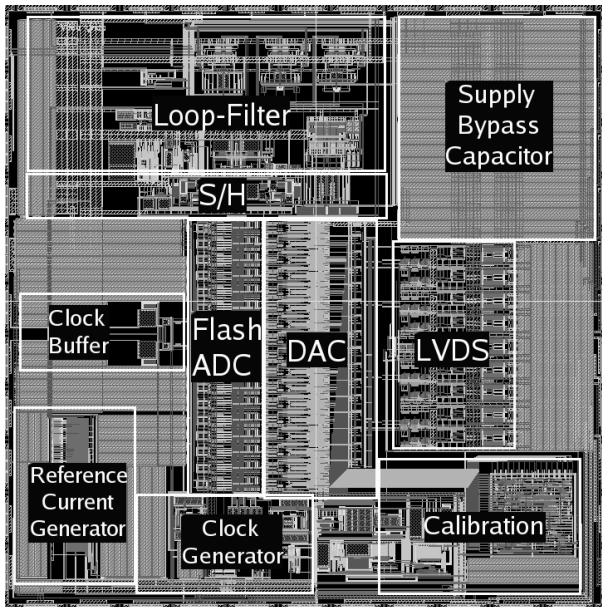
## DAC Cell—being calibrated



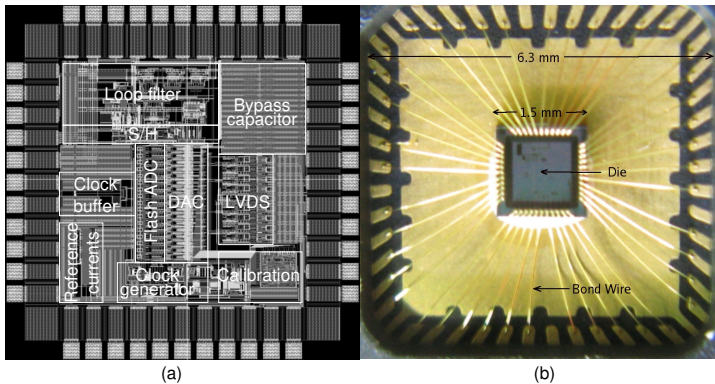
## *Simulated performance*

Sampling Frequency	800 MHz
Input Bandwidth	16 MHz
Quantizer Range	$3 V_{pp,diff}$
SQNR	88 dB
Inband Thermal Noise	84 dB
Net DR	82.5 dB
Power dissipation	
Loop filter	17 mW (1.8 V)
Fast loop	2.4 mW (1.8 V)
Flash ADC	15.2 mW (1.8 V)
DAC (+driver)	8.6 mW (1.8 V)
Clock buffer	2.6 mW (1.8 V)
Total	45.8 mW (1.8 V)

# Prototype chip



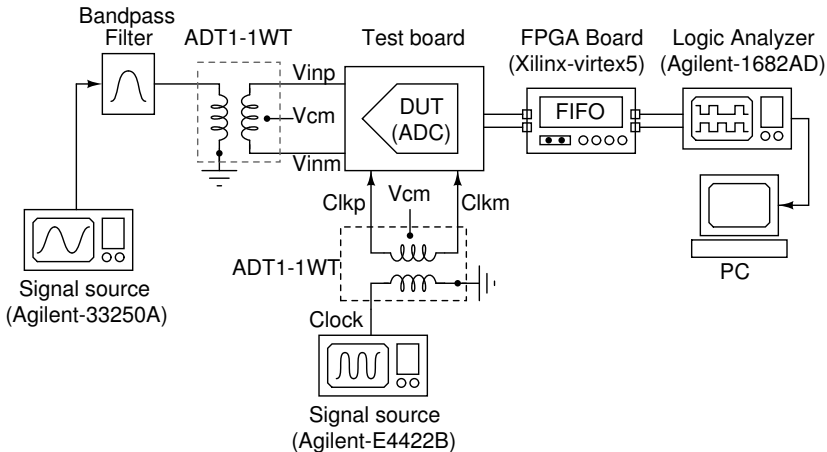
## Prototype chip



- 0.18  $\mu\text{m}$  CMOS; 1.8 V supply; 0.68 mm<sup>2</sup>; QFN48 package

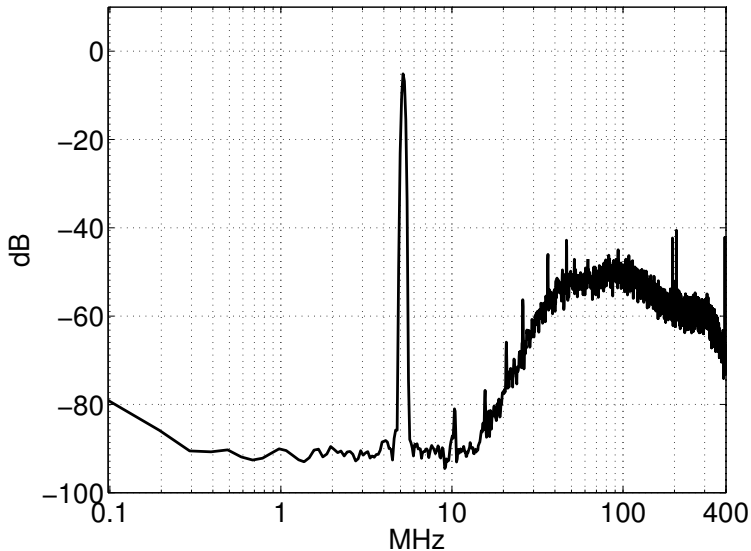


# Test setup



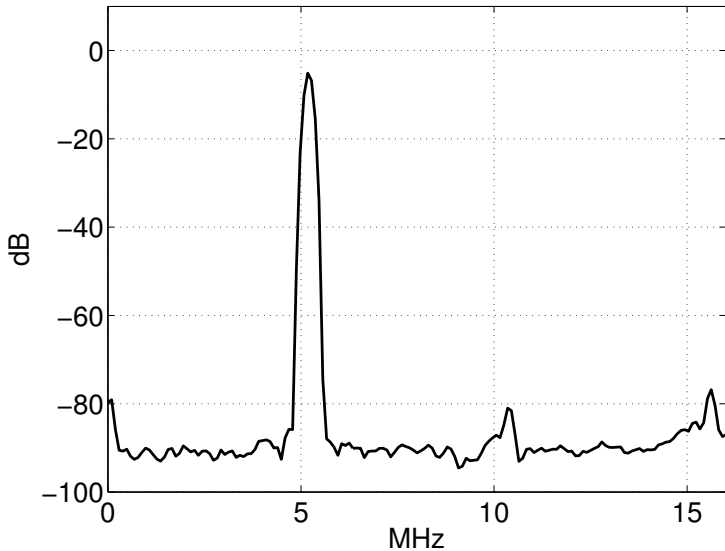
## *Output spectrum*

-1.9dBFS input at 5.2MHz



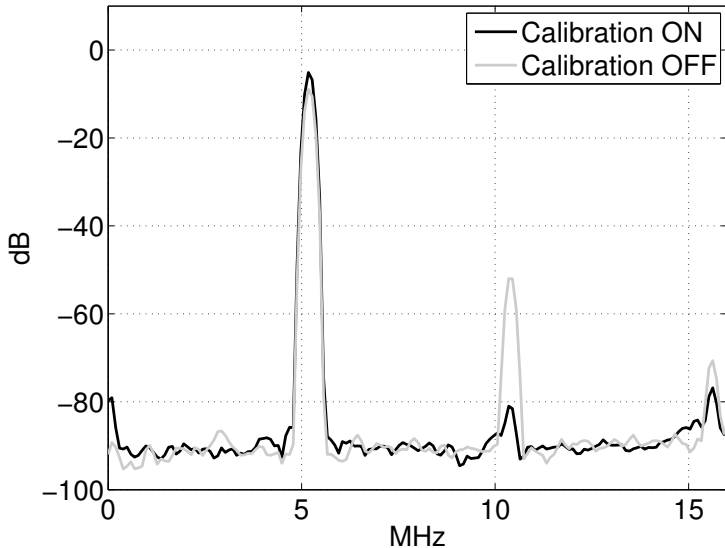
*Output spectrum;  $HD_2 = -76$  dB  $HD_3 = -72$  dB*

-1.9dBFS input at 5.2MHz

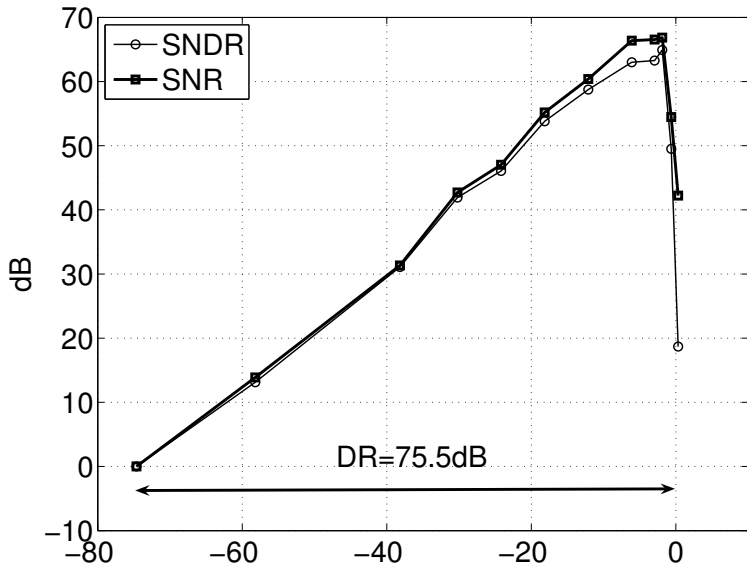


## *Effectiveness of DAC calibration*

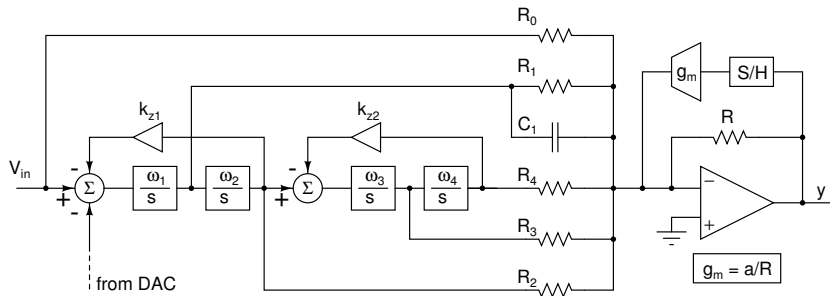
-1.9dBFS input at 5.2MHz



## Dynamic range



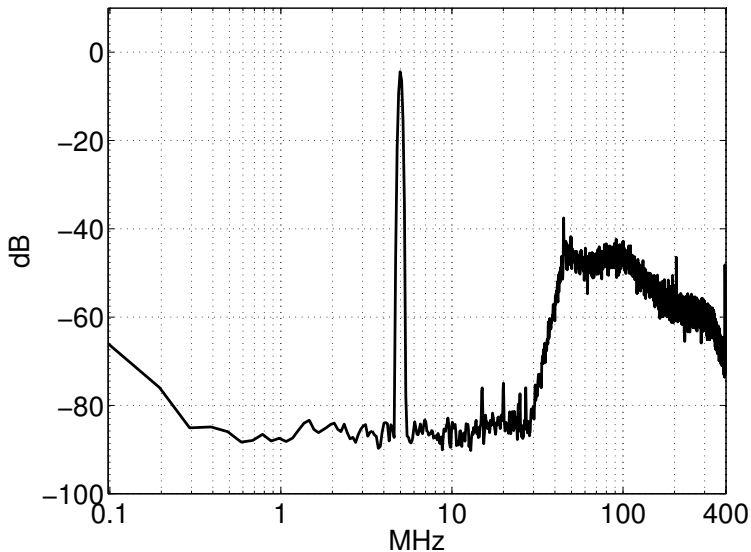
$$OSR = 12.5 (BW = 32 \text{ MHz})$$



- $k_{z1}$  and  $k_{z2}$  modified to optimize the zeros for  $OSR = 12.5$

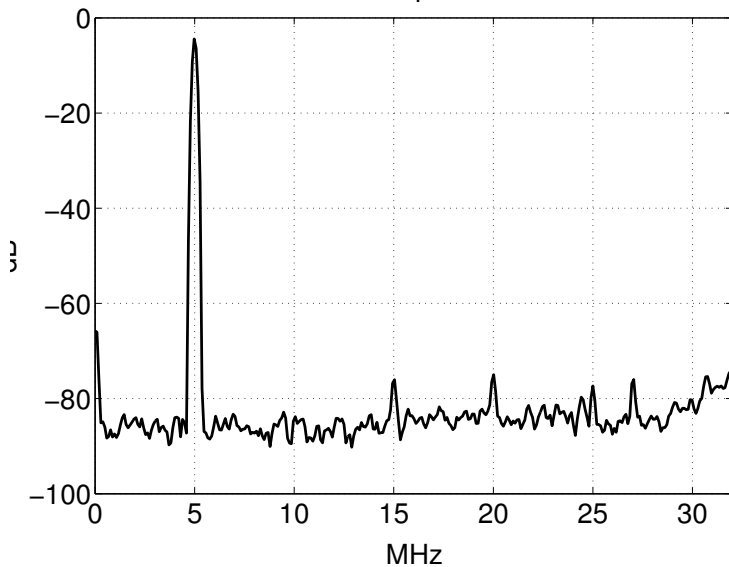
# *OSR = 12.5 (BW = 32 MHz): Output spectrum*

-1.3dBFS input at 5MHz



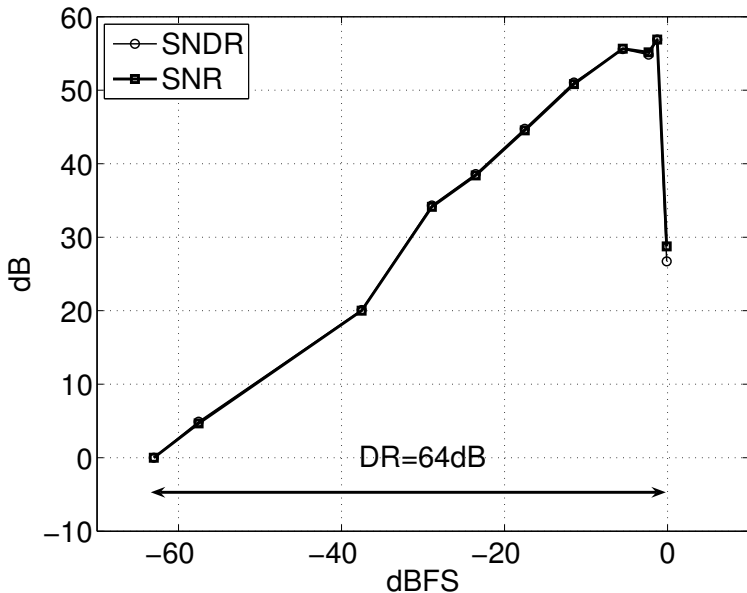
# *OSR = 12.5 (BW = 32 MHz): Output spectrum*

-1.3dBFS input at 5MHz





*OSR = 12.5 (BW = 32 MHz): Dynamic range*



## Performance summary

Process	0.18 $\mu\text{m}$	
Active area	0.68 $\text{mm}^2$	
Supply voltage	1.8 V	
Sampling rate	800 MHz	
Full scale	3 Vppd	
$P_d$	47.6 mW	
BW (MHz)	16	32
DR (dB)	75	64
$\text{SNR}_{\text{max}}$ (dB)	67	57
$\text{SNDR}_{\text{max}}$ (dB)	65	57
$HD_2$ dB	-76	—
$HD_3$ dB	-72	-72

## Figures of merit

$$FOM_1 [XX] = \frac{P_d}{2BW \cdot 2^{(XX-1.76)/6.02}}$$

- Power dissipation normalized to number of resolved levels and sampling rate of an equivalent Nyquist rate ADC
- XX: Dynamic range,  $SNR_{\max}$ , or  $SNDR_{\max}$

$$FOM_2 = DR + 10 \log_{10} \frac{BW}{P_d}$$

- Dynamic range normalized to bandwidth and power dissipation

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$\text{SNR}_{\text{max}}$ (dB)	67	57
$\text{SNDR}_{\text{max}}$ (dB)	65	57
$FOM_1$ [DR] (pJ)	0.32	0.57
$FOM_1$ [ $\text{SNR}_{\text{max}}$ ] (pJ)	0.81	1.29
$FOM_1$ [ $\text{SNDR}_{\text{max}}$ ] (pJ)	1.02	1.29
$FOM_2$ (dB)	160.3	152.3

## Comparison with other designs

		$f_s$ (MHz)	$f_b$ (MHz)	DR/SNR <sub>max</sub> /SNDR <sub>max</sub> (dB)	$P_d$ (mW)	FOM <sub>1</sub> (pJ)	FOM <sub>2</sub> (dB)
<b>This work</b>	<b>0.18 <math>\mu\text{m}</math></b>	<b>800</b>	<b>16</b>	<b>75/67/65</b>	<b>47.6</b>	<b>0.32/0.81/1.02</b>	<b>160.3</b>
<b>This work</b>	<b>0.18 <math>\mu\text{m}</math></b>	<b>800</b>	<b>32</b>	<b>64/57/57</b>	<b>47.6</b>	<b>0.57/1.3/1.3</b>	<b>152.3</b>
[9]	0.18 $\mu\text{m}$	400	25	69/68.5/67.7	48	0.42/0.44/0.48	156.2
[1]	0.18 $\mu\text{m}$	240	7.5	77/71/67	89	1.03/2.05/3.24	156.3
[2]	0.18 $\mu\text{m}$	200	20	55.2/49.7/48.8	103	5.48/10.32/11.44	138.1
[3]	0.18 $\mu\text{m}$	100	10	60.8/58.4/57.2	101	5.64/7.43/8.53	140.8
[3]	0.18 $\mu\text{m}$	160	10	67/63/—	122.4	3.35/5.3/—	146.1
[4]	0.18 $\mu\text{m}$	640	10	87/84/82	100	0.27/0.39/0.49	167.0
[3]	0.18 $\mu\text{m}$	300	15	70/67.2/64.2	20.7	0.27/0.37/0.52	158.6
[5]	0.18 $\mu\text{m}$	96	6	—/60.7/—	6.18	—/0.58/—	89.9
[8]	0.13 $\mu\text{m}$	900	20	80/81/78	87	0.27/0.24/0.34	163.6
[6]	0.13 $\mu\text{m}$	404	17	63.4/59.4/58.6	25.2	0.61/0.97/1.07	151.7
[7]	0.13 $\mu\text{m}$	950	10	86/86/72	40	0.12/0.12/0.61	170.0
[7]	0.13 $\mu\text{m}$	950	10	75/75/67	40	0.22/0.22/0.55	162.0
[2]	0.13 $\mu\text{m}$	640	20	80/76/74	20	0.06/0.1/0.12	170.0
[8]	0.13 $\mu\text{m}$	300	20	67/64.6/63.7	70	0.96/1.3/1.4	151.6
[9]	0.13 $\mu\text{m}$	240	10	67/63/63	20.5	0.56/0.89/0.89	153.9
[1]	0.11 $\mu\text{m}$	300	10	70/68.2/62.5	5.32	0.1/0.13/0.24	162.9
[2]	90 nm	640	10	67/—/65	6.8	0.19/—/0.23	158.7
[3]	90 nm	340	20	77/71/69	56	0.24/0.48/0.61	162.5
[4]	90 nm	420	20	72/72/70	27.7	0.21/0.21/0.27	160.6
[5]	90 nm	400	10	52/—/—	7	1.08/—/—	143.5
[6]	65 nm	1152	18	67/70/67	17	0.26/0.18/0.26	157.2
[6]	65 nm	1152	9	75/76/72	17	0.21/0.18/0.29	162.2
[7]	65 nm	950	20	69/62/60	10.5	0.11/0.26/0.32	161.8
[8]	65 nm	256	8	81/76/70	50	0.34/0.61/1.21	163.0

## Conclusions

- Compensate  $ELD > T_s$  in a CT  $\Delta\Sigma$  modulator
  - Use a fast loop outside the flash ADC
  - Non-minimum phase NTF
  - $f_{s,max}$  increases by  $2\times$  to  $3\times$  in a given process technology
- Low latency flash ADC
  - Series switches eliminated from reference subtraction
- Delay free calibrated DAC
  - Alternately calibrated unit current sources for each unit
- Highest sampling rate in a  $0.18\ \mu\text{m}$  CMOS process
- Highest signal bandwidth in a  $0.18\ \mu\text{m}$  CMOS process

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