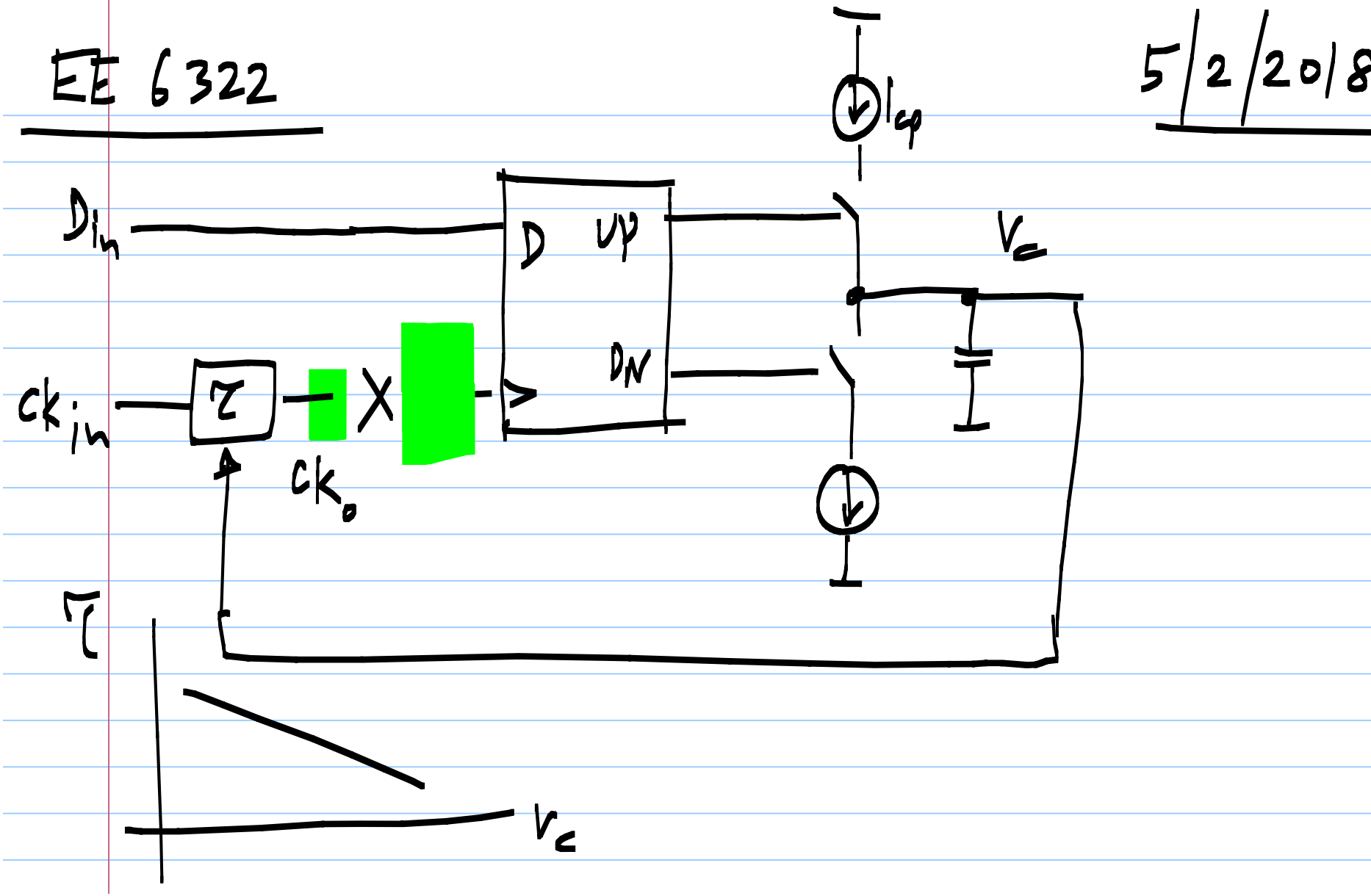
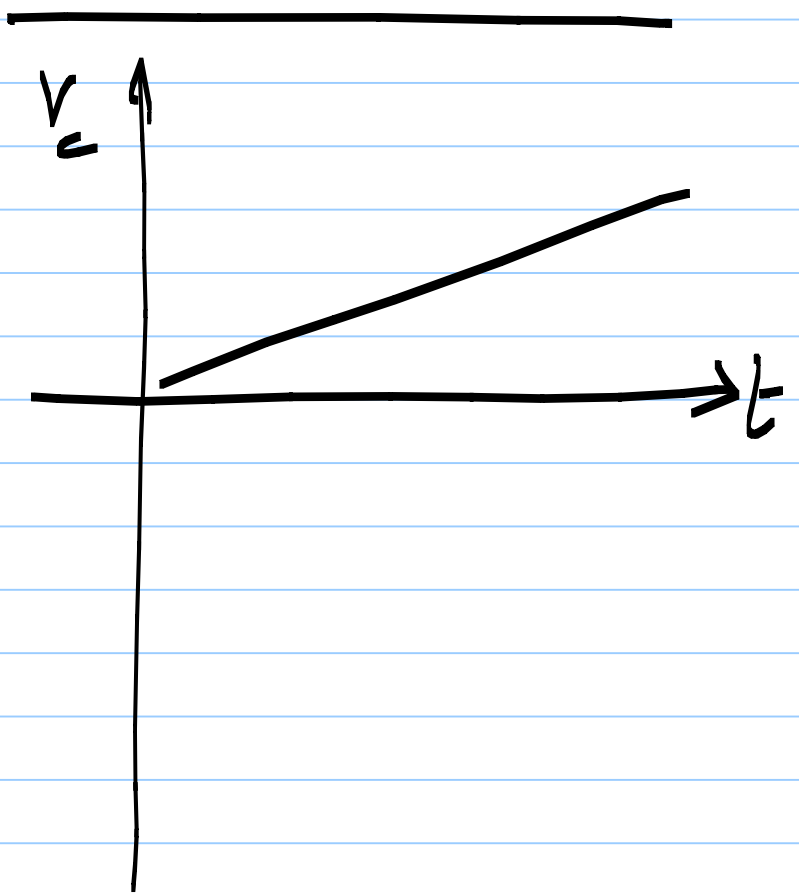
EE 6322

5/2/2018

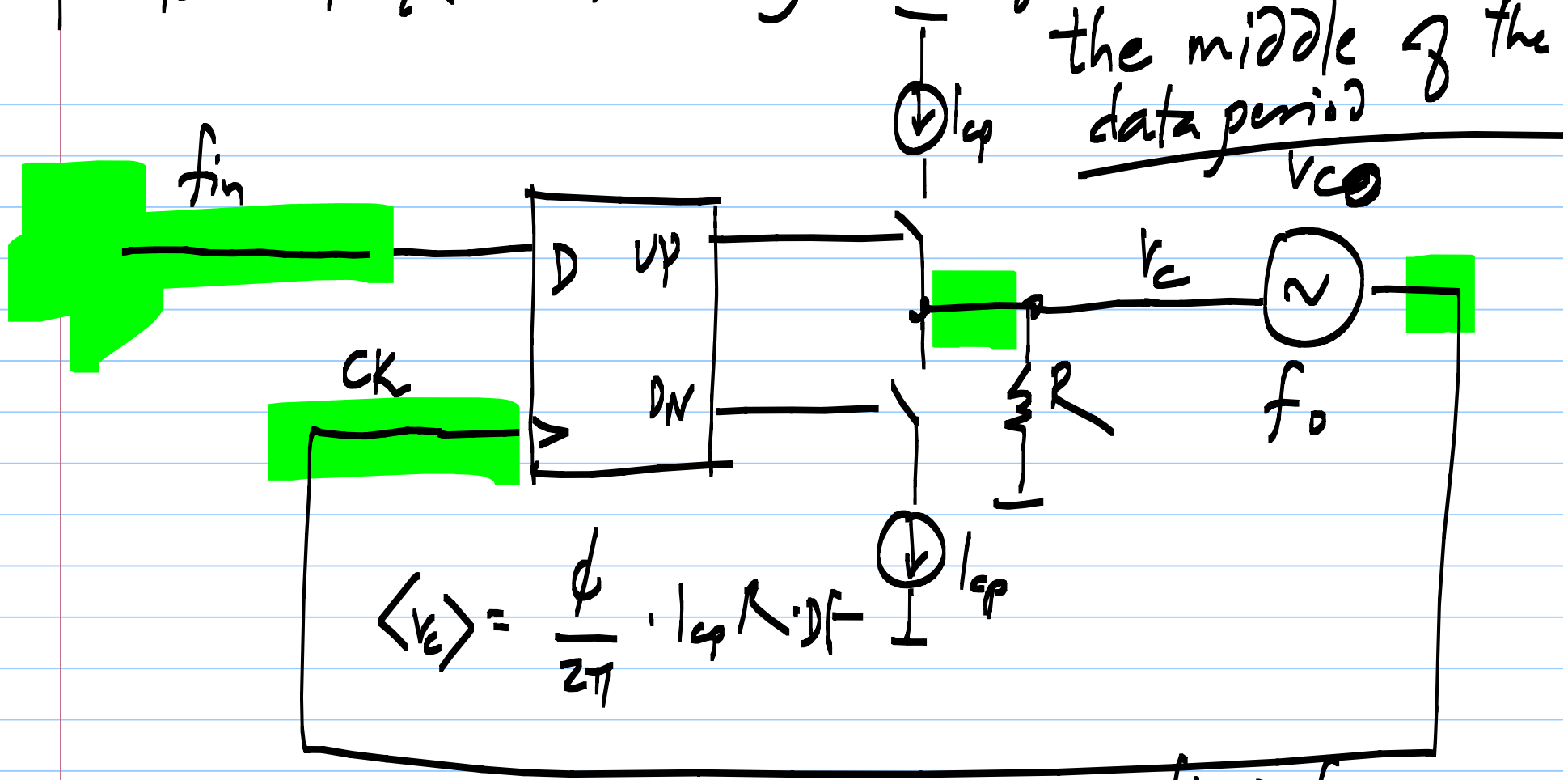


Phase diff ck_o & ck_{in}

ck_o is @ higher freq. than ck_{in}



If $f_o = \text{freq}(D_{in})$, rising edge of CK will settle to the middle of the data period



$$\langle V_c \rangle = \frac{\phi}{2\pi} \cdot I_{cp} R \cdot DF$$

$$f_o + K_{VCO} \langle V_c \rangle = f_{in} \qquad \langle V_c \rangle = \frac{f_{in} - f_o}{K_{VCO}}$$

ϕ_1
ϕ_2
V_{in}
V_1
V_2
V_3
V_4
V_5
V_6
V_7
V_8
V_9
V_{10}
V_{11}
V_{12}
V_{13}
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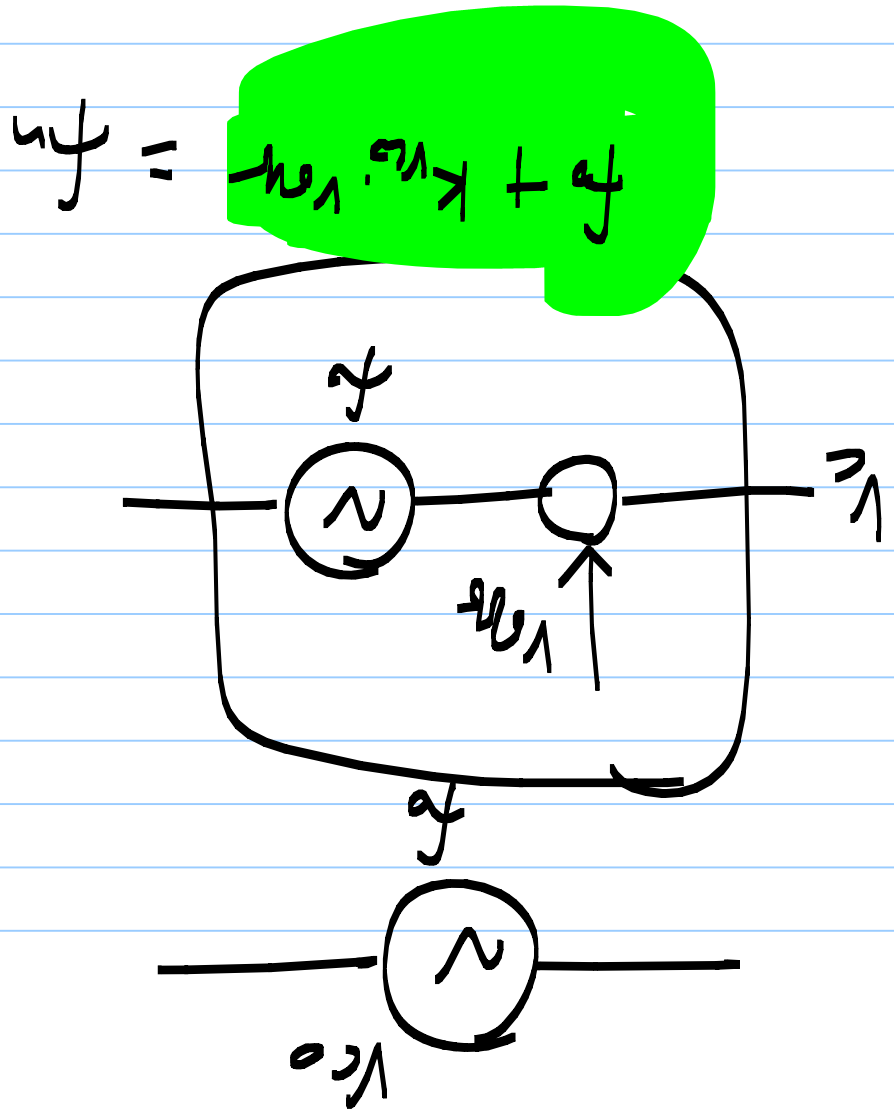
V_{44}
V_{45}
V_{46}
V_{47}
V_{48}
V_{49}

If $f_0 \neq f_{REF}$ (Din)

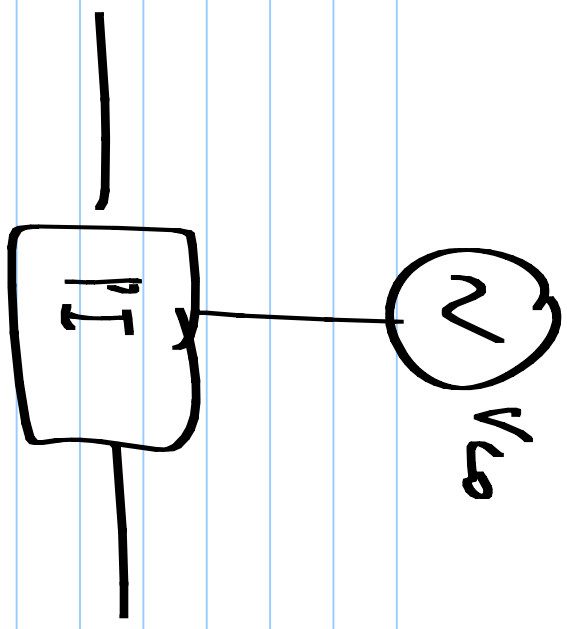
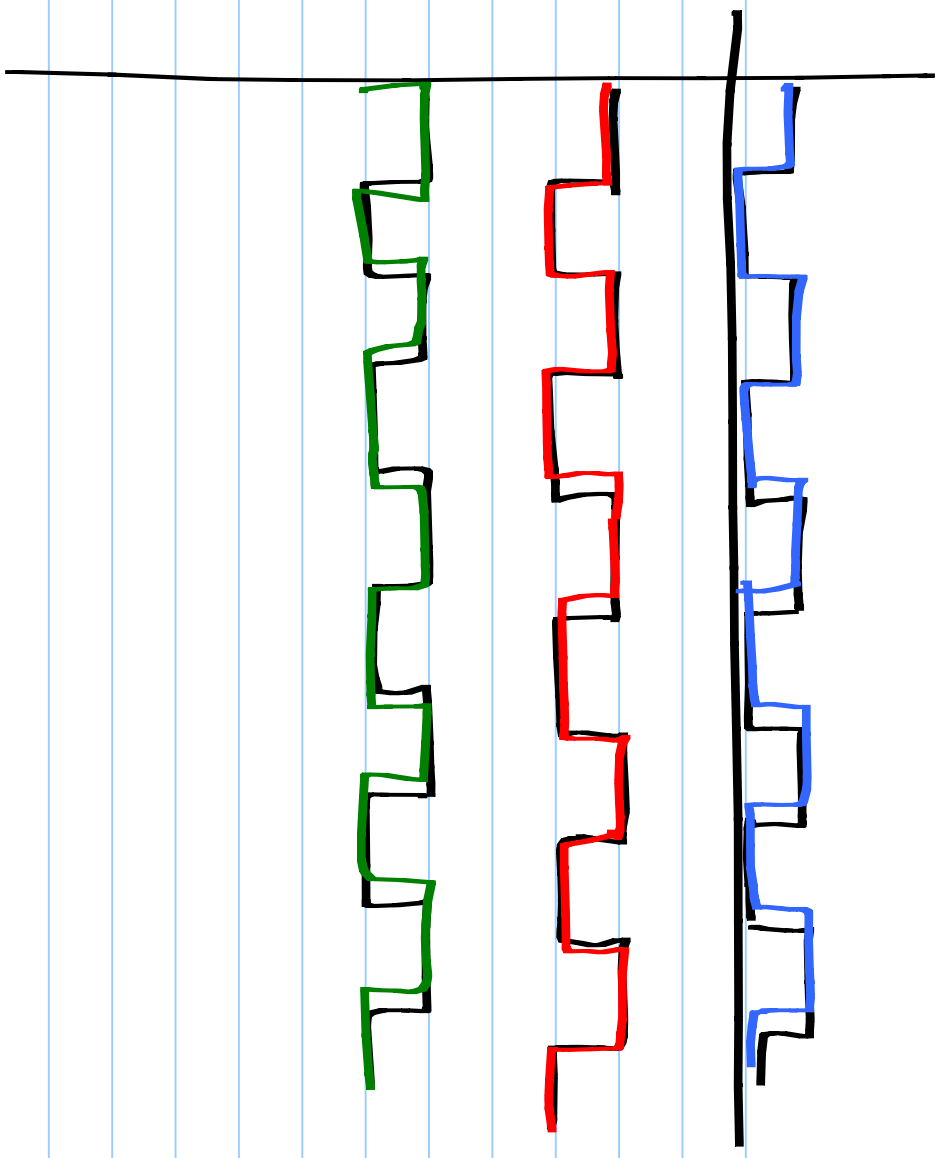
* In steady state, $f_{out,VCO} = f_{REF}(D_{in})$

$\Rightarrow \quad V_c \neq 0$

$\Rightarrow$ Non-zero phase difference between CK & D_{in}



$f_{in} < f_o$
finally, $f_{in} = f_o$
$\langle \phi_e \rangle = 0$
$f_o + k_{vco} \cdot V_c$
$\langle V_{PD} \rangle = 0$
ϕ_{in} leads ϕ_o
$\langle V_c \rangle = 0$
D_{in}
Clk
D
up
R
dn
I_{cp}
I_{cp}
C
R
V_{PFL}
2
f_o
C
Clk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