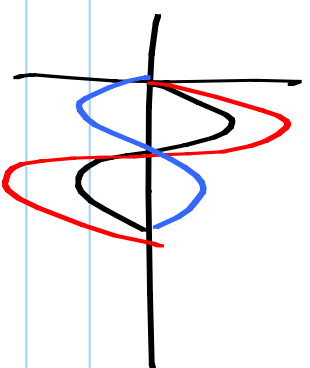


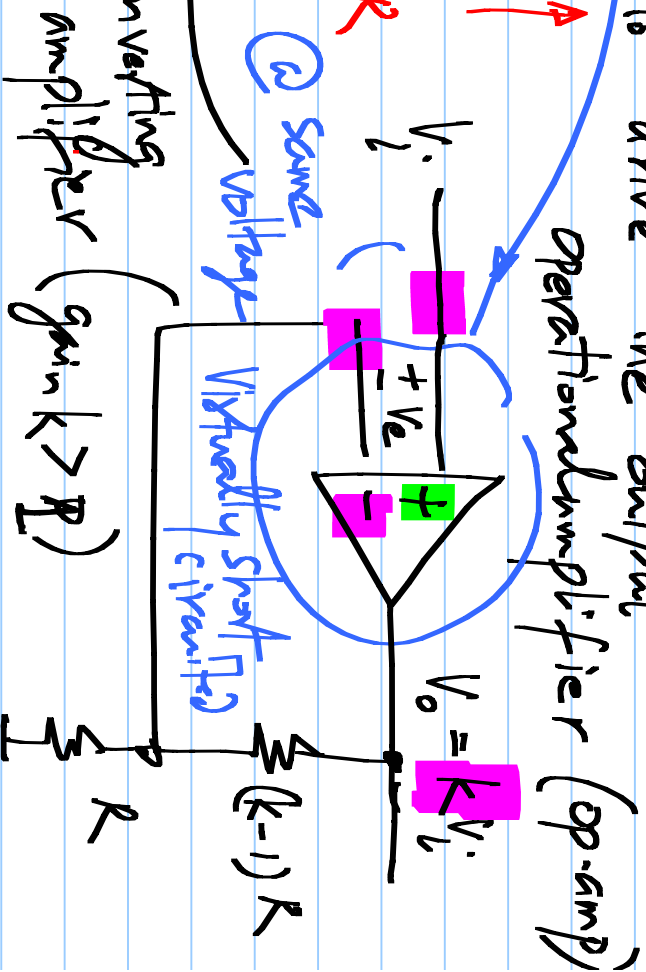
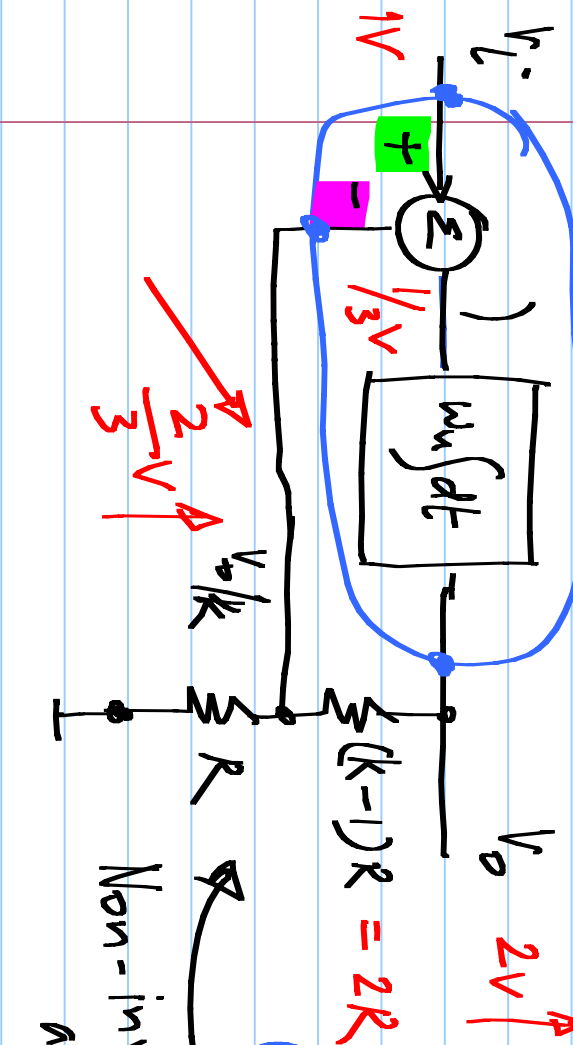
EC1010: Lecture 21

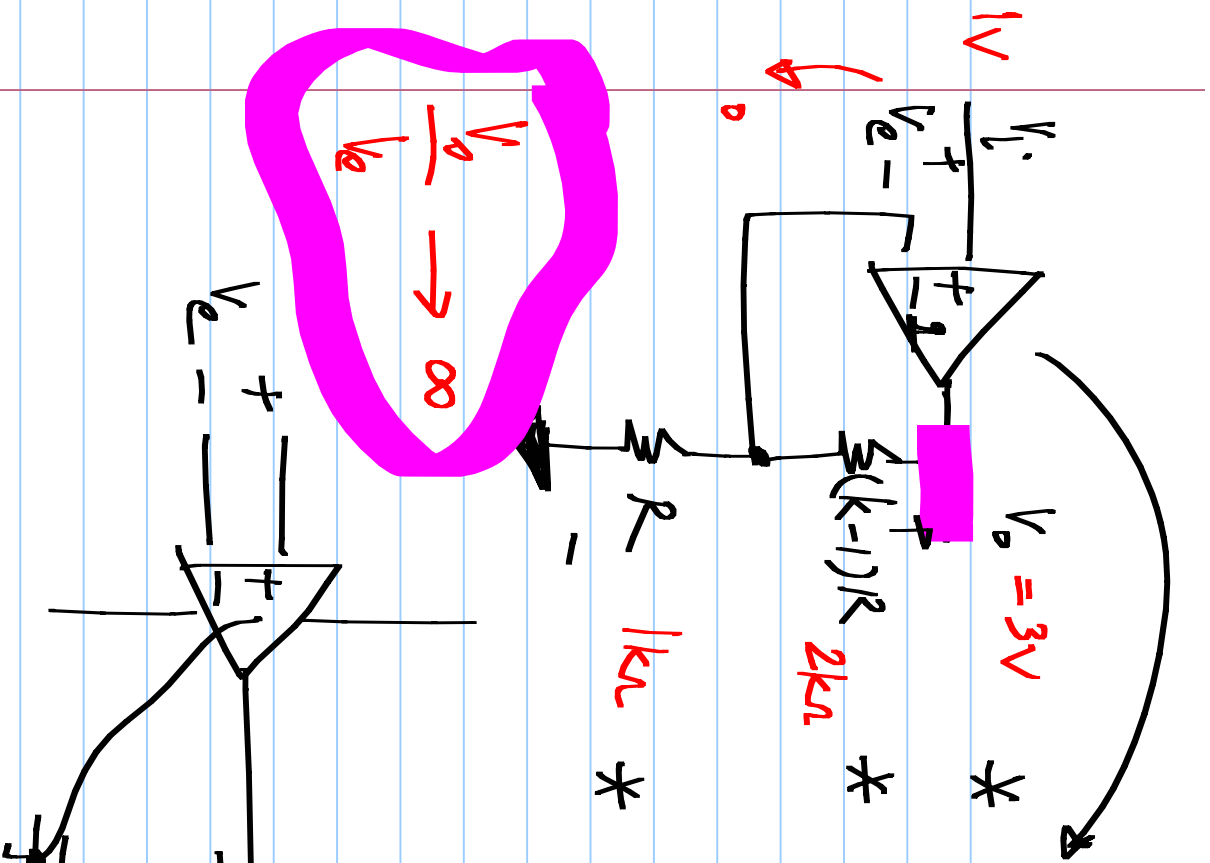


Negative feedback amplifier: $V_o = kV_i$.

Compare $\frac{V_o}{V_i}$ to V_i } Integrate the error (difference) to drive the output

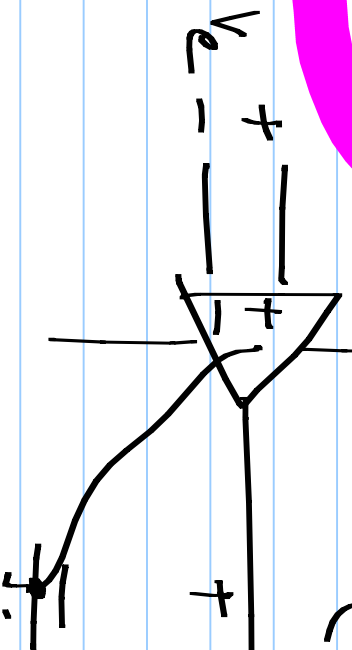
$$V_e = V_i - \frac{V_o}{k}$$



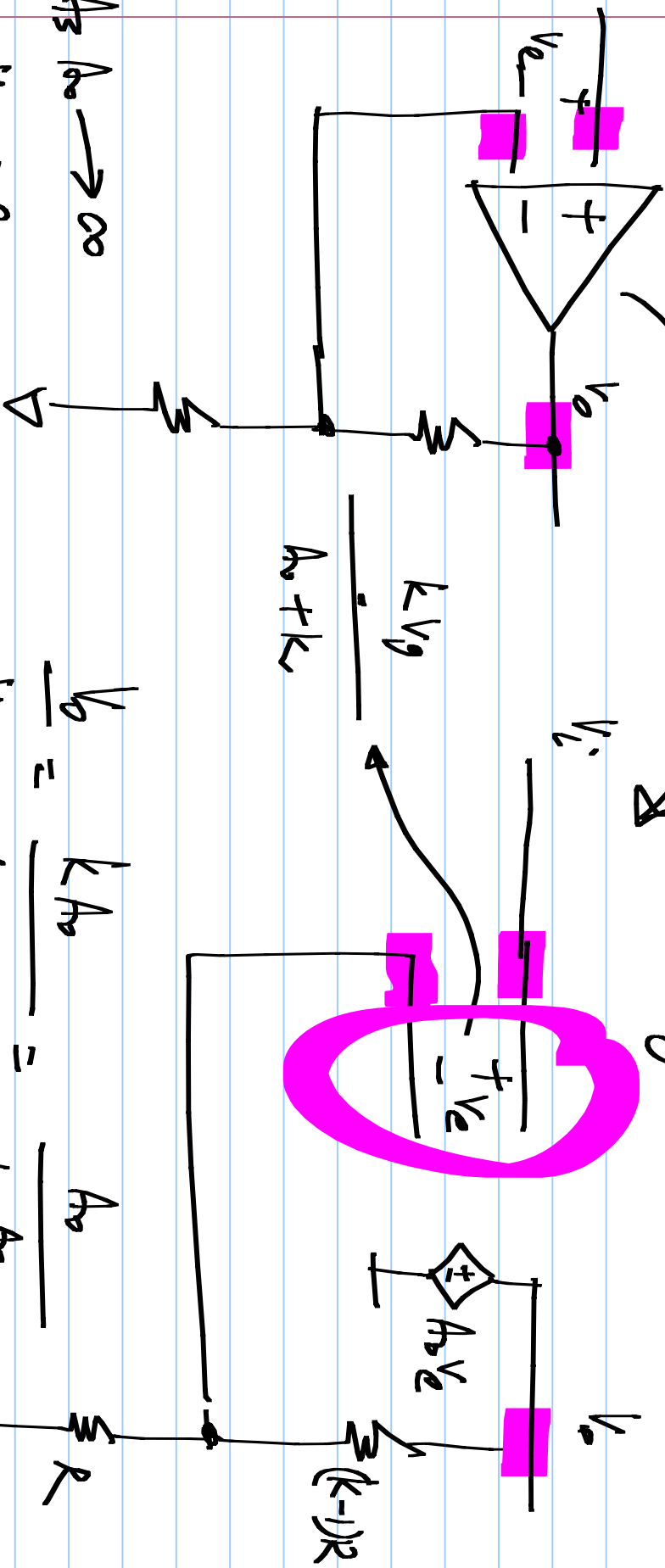


* op amp: "integrates" the error V_e
 * If it is in negative feedback, eventually V_e reaches zero

* $V_e = 0 \Rightarrow$ opamp inputs are virtually shorted to each other
 (Negative feedback essential for this!)



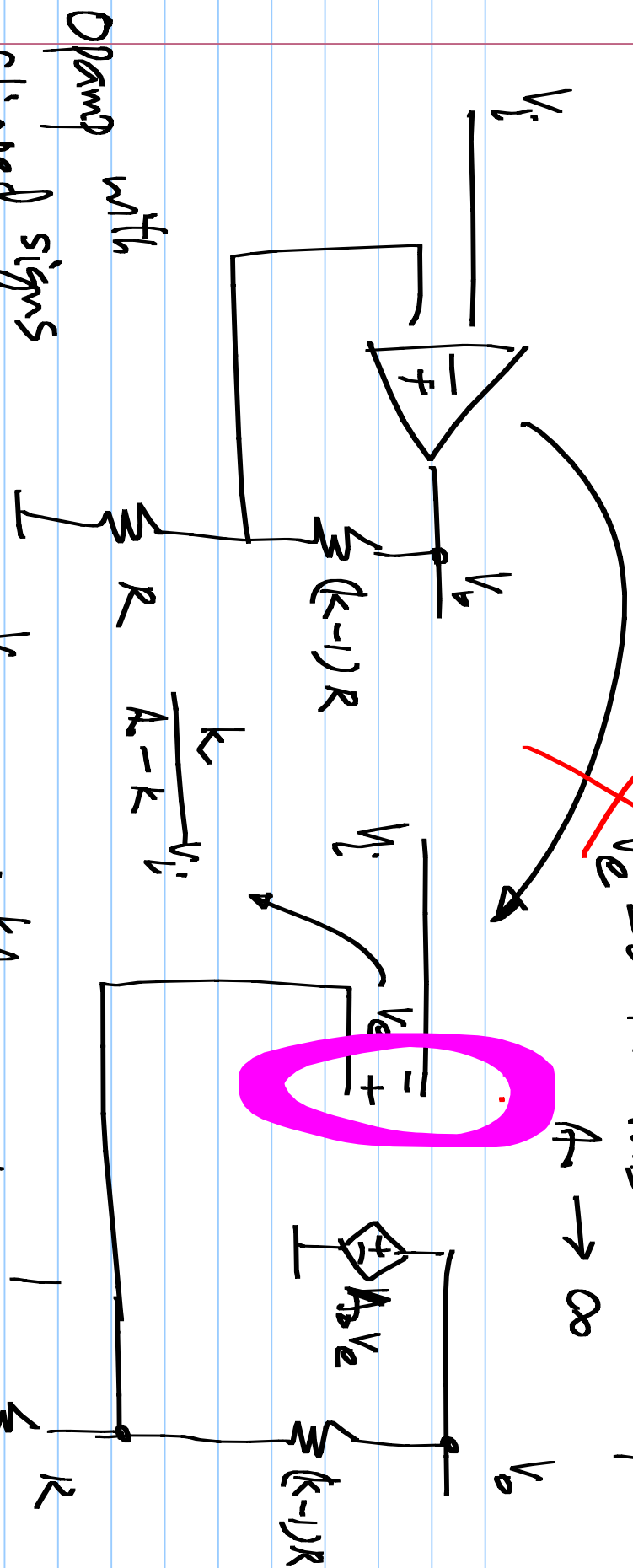
opamp modeled as a VCVS of gain A_0



$A_0 A_0 \rightarrow \infty$
 $V_e \rightarrow 0,$
 $V_o \rightarrow kV_i$

$$\frac{V_o}{V_i} = \frac{kA_0}{A_0 + k} = \frac{A_0}{1 + \frac{A_0}{k}} = k \cdot \frac{1}{1 + k/A_0}$$

~~$V_e = 0$~~ in this circuit if $A \rightarrow \infty$



Opamp with flipped signs

But, no negative feedback!

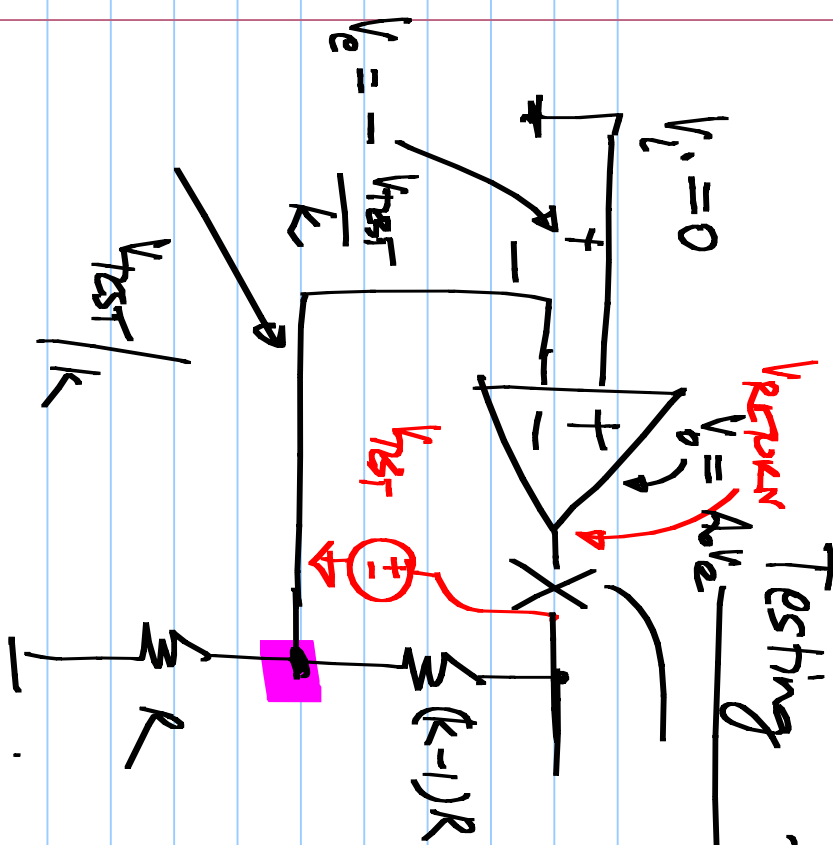
$$\frac{V_o}{V_i} = \frac{-kA}{-A_0 + k} = k \cdot \frac{1}{1 - k/A_0} = \frac{A_0}{\frac{A_0}{k} - 1}$$

Testing for negative feedback

* Set inputs to the circuit to zero

to zero

* Break the loop at the output of the opamp



$$V_{\text{Remain}} = -\frac{A_{OL}}{k} V_{\text{test}}$$