|  | $t_{\text {setup }}(p s)$ | $t_{p c q}(p s)$ | $t_{\text {pdq }}(p s)$ | $t_{c c q}(p s)$ | $t_{c d q}(p s)$ | $t_{\text {hold }}(p s)$ |
| :--- | :---: | :--- | :---: | :--- | :--- | :--- |
| Flop | 65 | 50 | N.A | 35 | 35 | 30 |
| Latch | 25 | 50 | 40 | 35 | 35 | 30 |

1. An implementation of a D Flip-flop is show in Fig. 1. Answer the following
2. Is this a static or dynamic flip-flop?
3. Is this positive edge triggered or negative edge triggered?
4. Calculate $t_{\text {setup }}, t_{C Q}$ and $t_{\text {hold }}$ for this flop in terms of the transmission gate and inverter delays
5. Analyse this flop for clock overlap issues and compare with the C2MOS implementation. What's the key difference?


Figure 1: D Flip-flop
2. An implementation of a sequential element is show in Fig. 2. Answer the following

1. Is this a latch (level triggered) or a flip flop (edge triggered)?
2. Is it static or dynamic?
3. Construct a positive edge triggered D flip-flop using this sequential element.
4. For the DFF constructed above, calculate $t_{\text {setup }}, t_{C Q}$ and $t_{h o l d}$ in terms of the transmission gate and inverter delays. Assume that $\overline{C L K}$ is generated from CLK with an ideal inverter ( 0 delay).


Figure 2: Sequential Element
3. Shown in Fig. 3 is an implementation of a dynamic flip flop. The transistors are sized to achieve equal rise and fall delay while minimizing the area. Assumptions:

- $C L K$ and $\overline{C L K}$ are ideal and have no overlap
- All transitions are instantaneous.
(a) Plot the waveforms of $Q_{m}$ and $Q$ for the first cycle when the input $D$ is as shown in the Fig. 3. Mark all steady state voltage values.
(b) Which of the two signals $Q_{m} / Q$ look unusual? Why? Can you suggest a fix for the problem?


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Figure 3: Question 3:Erroneous Dynamic Flip Flop
(c) If the minimum clock period at which the faulty circuit works is $T_{m i n}$, what is the corresponding value for the "corrected "circuit?
4. For each of the following sequencing styles, determine the maximum logic propagation delay available within a 500 ps clock cycle. Assume there is no clock skew and no time borrowing

1. Flip-Flop
2. Two-phase tansparent latches
3. Repeat the above when clock skew can be up to 50 ps .
4. Assuming there is no clock skew, determine the minimum logic contamination delay in
5. each clock cycle for a Flip-Flop
6. each half cycle for a two-phase transparent latches with $50 \%$ duty cycle
7. each half cycle for a two-phase transparent latches with 60 ps of non-overlap between the phases
8. Repeat the above question if the clock skew between any two elements can be up to 50 ps
9. Suppose one cycle of logic is particularly critical and the next cycle is nearly empty, Determine the maximum amount of time the first cycle can borrow into the second for each of the following sequencing styles when there is no clock skew
10. each clock cycle for a Flip-Flop
11. each half cycle for a two-phase transparent latches with $50 \%$ duty cycle
12. each half cycle for a two-phase transparent latches with 60 ps of non-overlap between the phases
13. Repeat the above when the maximum clock skew can be 50 ps
14. For the path show in Fig. 4 determine which latches borrow time and if any setup time violations occur. Assume there is no clock skew and that latch delays are accounted for in the propagation delays $\Delta$ 's. Repeat for cycle times of 1200, 1000 and 800 ps .
15. $\Delta_{1}=550 \mathrm{ps} ; \Delta_{2}=580 \mathrm{ps} ; \Delta_{3}=450 \mathrm{ps} ; \Delta_{4}=200 \mathrm{ps} ;$
16. $\Delta_{1}=300 \mathrm{ps} ; \Delta_{2}=600 \mathrm{ps} ; \Delta_{3}=400 \mathrm{ps} ; \Delta_{4}=550 \mathrm{ps}$;
17. For the path show in Fig. 5, determine the minimum clock period at which the circuit will operate correctly for each of the following logic delays. Assume clock skew is zero and and that latch delays are accounted for in the propagation delay $\Delta^{\prime} s$.

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Figure 4: Sequential path-1

1. $\Delta_{1}=300 \mathrm{ps} ; \Delta_{2}=400 \mathrm{ps} ; \Delta_{3}=200 \mathrm{ps} ; \Delta_{4}=350 \mathrm{ps}$;
2. $\Delta_{1}=300 \mathrm{ps} ; \Delta_{2}=400 \mathrm{ps} ; \Delta_{3}=400 \mathrm{ps} ; \Delta_{4}=550 \mathrm{ps}$;
3. $\Delta_{1}=300 \mathrm{ps} ; \Delta_{2}=900 \mathrm{ps} ; \Delta_{3}=200 \mathrm{ps} ; \Delta_{4}=350 \mathrm{ps}$;


Figure 5: Sequential path-2
12. Repeat the above exercise for the case when clock skew is 100 ps
13. A finite state machine is shown in Fig. 6 where the INVERTER has a delay of 100 ps , the AND gate has a delay of 200 ps and the XOR has a delay of 300 ps . Answer the following.

1. What is the critical path of this system?
2. What is the maximum clock frequency that can be used on this system?
3. After the clock edge arrives at D flip-flops, what is the earliest time when the output $Y$ is guaranteed to be valid and stable?


Figure 6: Finite State Machine

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14. Determine the minimum clock period at which the following sequential paths will operate correctly. The delay values are $\Delta_{1}=550 \mathrm{ps} ; \Delta_{2}=580 \mathrm{ps} ; \Delta_{3}=450 \mathrm{ps} ; \Delta_{4}=200 \mathrm{ps}$; Assume clock skew is zero and latch delays are accounted for in the propagation delay $\Delta$ 's i.e. $T_{c q}=T_{\text {setup }}=T_{d q}=0$
(a) Path shown in Fig. 7A
(b) Path shown in Fig. 7B
(c) If clock skew $T_{\text {skew }}=50 \mathrm{ps}$, how does the minimum clock frequency change in the above cases?

A


B


Figure 7: Question 14: Sequential Path

