

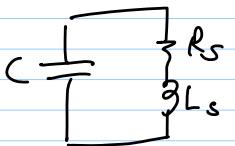
Lec 3

* 50Ω impedance is the RF std.

→ don't drive 50Ω m-chip

* chip boundary - match to 50Ω

Impedance Xformation



neither Series nor \parallel

@ resonance - do series to parallel conv.

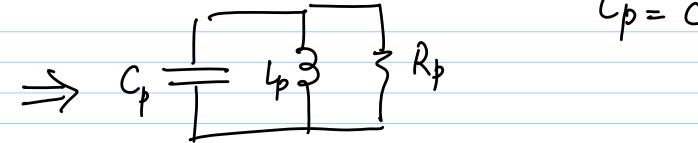
Im part

$$\omega_0 L_s = \frac{\omega_0 L_p R_p^2}{R_p^2 + (\omega_0 L_p)^2}$$

$$Q_s = \frac{\omega_0 L_s}{R_s} ; Q_p = \frac{R_p}{\omega_0 L_p} ; Q_p = Q_s = Q$$

$$R_p = R_s(1+Q^2) ; L_p = L_s \frac{(1+Q^2)}{Q^2}$$

$$L \boxed{C_s} \Rightarrow C_p = \frac{C_s \cdot Q^2}{1+Q^2}$$



$$R_s + j\omega_0 L_s = \frac{R_p \cdot j\omega_0 L_p}{R_p + j\omega_0 L_p}$$

$$= \frac{(\omega_0 L_p)^2 \cdot R_p + j\omega_0 L_p R_p^2}{R_p^2 + \omega_0^2 L_p^2}$$

Equal real parts

$$R_s = \frac{(\omega_0 L_p)^2 \cdot R_p}{R_p^2 + (\omega_0 L_p)^2}$$

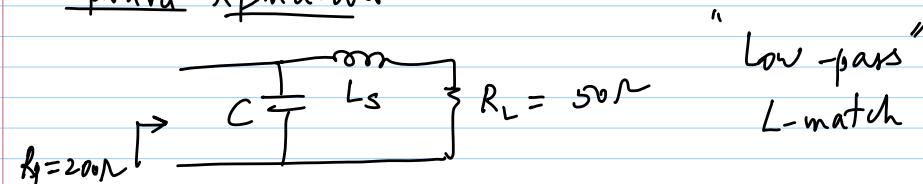
Impedance matching

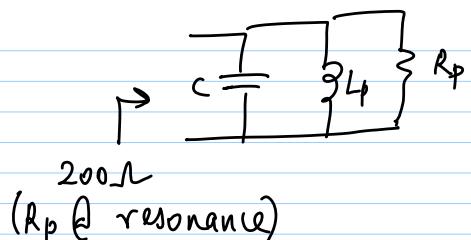
discrete RF

- 1) $\lambda/4$ Xfmr.
- 2) Stub matching
- 3) Xfmr

L-match networks

Upward Xformation





$$L_p = \frac{L_s (1 + Q^2)}{Q^2}$$

$$R_p = R_s (1 + Q^2)$$

$200\text{ }\Omega$
($R_p \notin$ resonance)

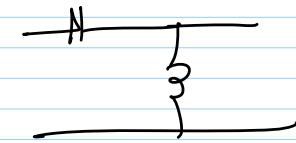
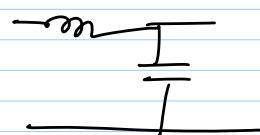
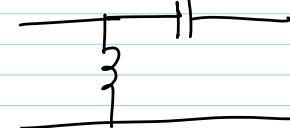
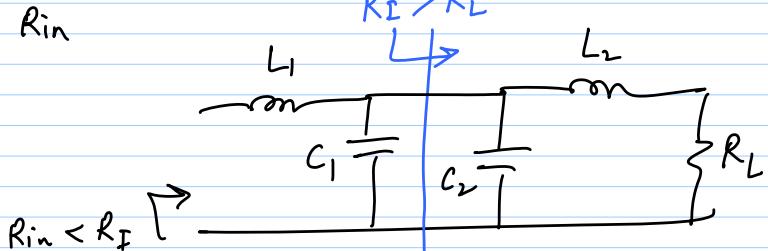
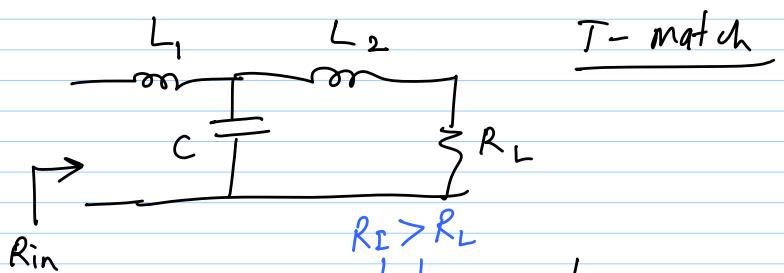
$$Q = \sqrt{\frac{R_p}{R_s}} - 1 = \sqrt{3} = 1.732$$

$$\frac{\omega_0}{2\pi} = \text{freq. of operation (known)}$$

from $Q, \omega_0, R_p, R_s \Rightarrow L_s \& L_p$ are known

$$U_s = \frac{1}{\sqrt{C L_p}} \Rightarrow \text{find } C$$

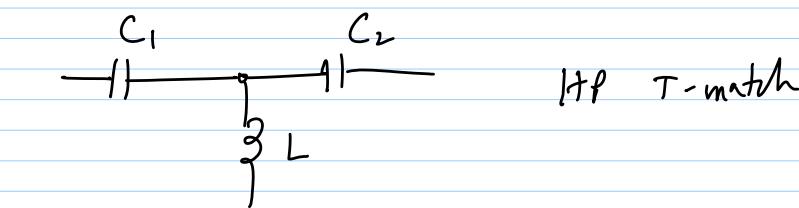
To design for BW, need 3rd degree of freedom — design for Q_S .

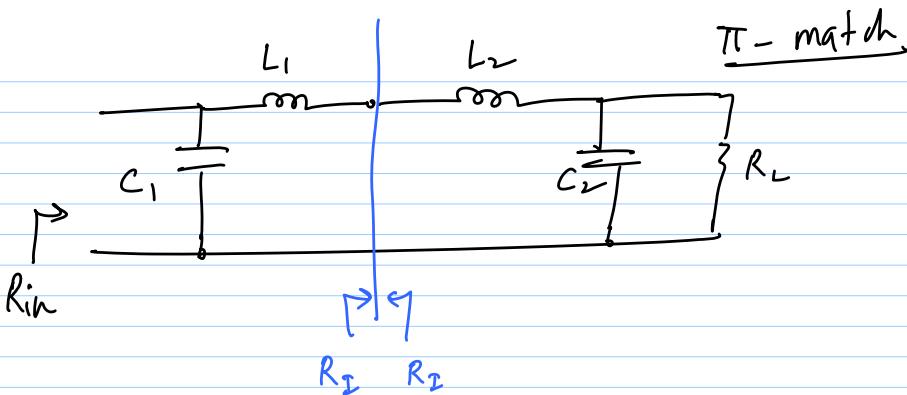


$\omega_0, R_{in}/R_s, Q$

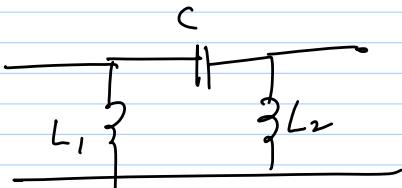
$$Q = Q_L + Q_R \quad \checkmark$$

$$Q = \sqrt{\frac{R_I}{R_{in}} - 1} + \sqrt{\frac{R_I}{R_L} - 1}$$





$$R_I < R_{in}; R_I < R_L$$



- 1) Q - choose between L & T/π
- 2) Low-pass or High-pass
- 3) Area - # of components
- # of L 's
- value of L 's & C 's
- 4) Insertion loss - loss in the components
(L 's have low Q)