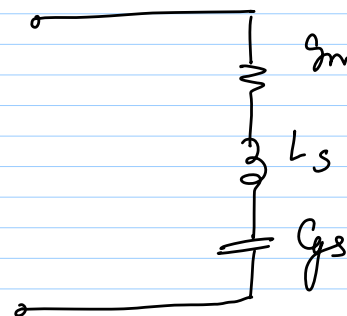


6-9-13

Lec 16

b) $Z_s = sL_s$

$$Z_{in} = sL_s + \frac{1}{sC_{gs}} + \frac{g_m L_s}{C_{gs}}$$



$$g_m L_s / C_{gs} = \omega_T L_s$$

eq. resistance
w/o using a
physical resistor
(low noise)

* Low noise (no physical resistor)

* small $S_{11} \Rightarrow \omega_T L_s = 50 \Omega$

* Make L_s & C_{gs} resonate @ desired
freq. f_0
Constraints,

C_{in}
 C_{gs}

I_{bias}

Set f_0 , I_{bias} , $\omega_T L_s$ independently
- add another degree of freedom

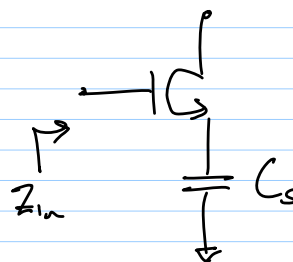
(1) add cap C_x in $||^t$ to C_{gs}

$$\omega_T' = \frac{g_m}{C_{gs} + C_x} \quad \text{changes } \times \text{ } Re(Z_{in})$$

(2) add L_g in series with the gate

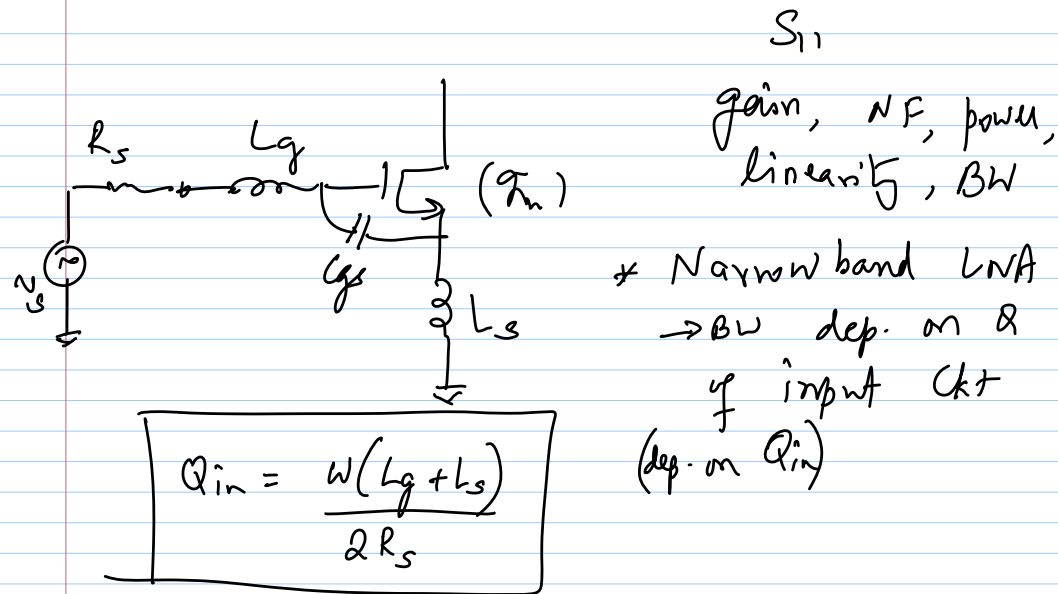
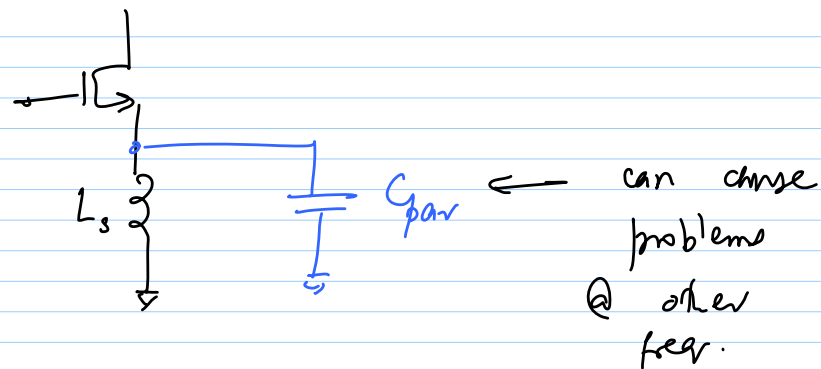
$$f_0 = \frac{1}{2\pi \sqrt{C_{gs}(L_g + L_s)}} \quad \checkmark$$

III C_s @ source of C.S.

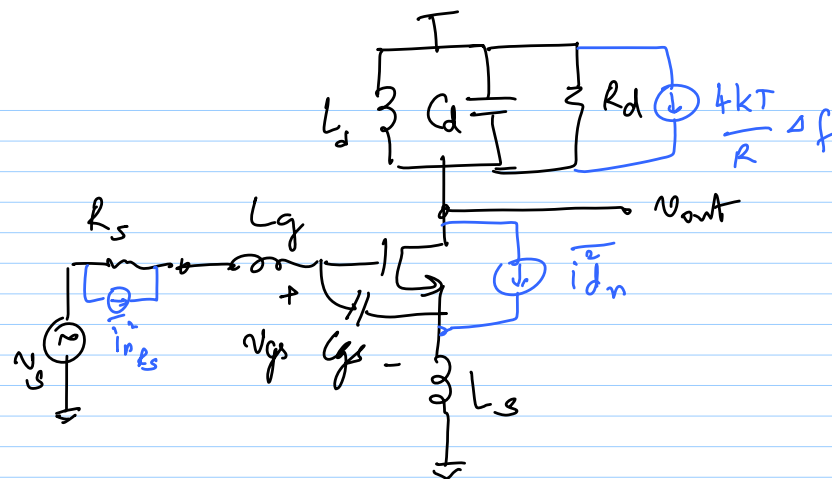


$$Z_{in} = \frac{1}{sC_s} + \frac{1}{sC_{gs}} + \frac{g_m}{s^2 C_{gs} C_s}$$

$\rightarrow$ -ve resistance
 $\rightarrow$ freq. dependant

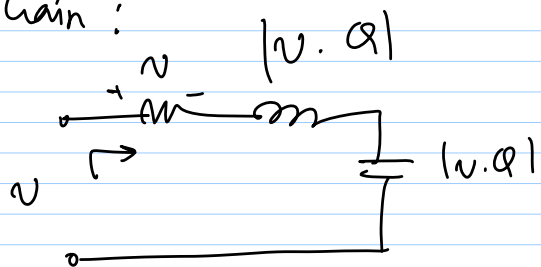


* $\uparrow BW \Rightarrow \downarrow Q_{in} \Rightarrow \downarrow (L_g + L_s)$
 $\Rightarrow \uparrow C_{gs}$ (keep ω_0 constant) $\Rightarrow W_T \downarrow$
 $\Rightarrow R_{in} \downarrow \Rightarrow \uparrow L_s \dots$ X
 $\Rightarrow \uparrow g_m \Rightarrow \uparrow I_{bias}$



* $L_d - C_d \Rightarrow$ swings are better
 — OOB filtering better
 — BW limitation (R_c)

* Gain:



$$v_{gs} = Q_{in} \cdot v_s$$

$$i_d = g_m \cdot Q_{in} \cdot v_s$$

$$v_{out} = g_m \cdot R_d \cdot Q_{in} \cdot v_s$$

$$\text{gain} = \frac{v_o}{v_s} = g_m \cdot R_d \cdot Q_{in}$$

a) more gain than normal C-S.A.
dep. on Q_{in}

b) NF better than normal C-S.A.
dep. on Q_{in}

c) Linearity worse than normal CSA