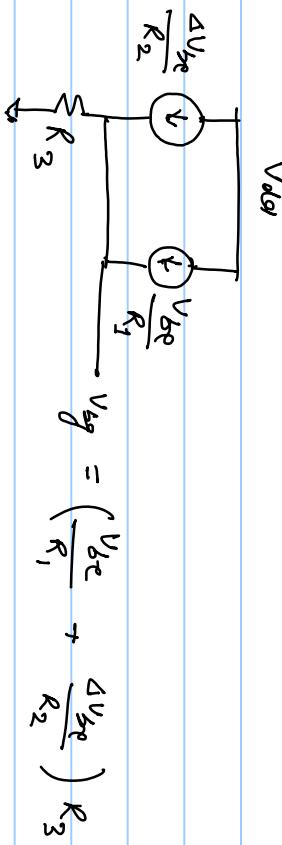


SUB-1V Bandgap



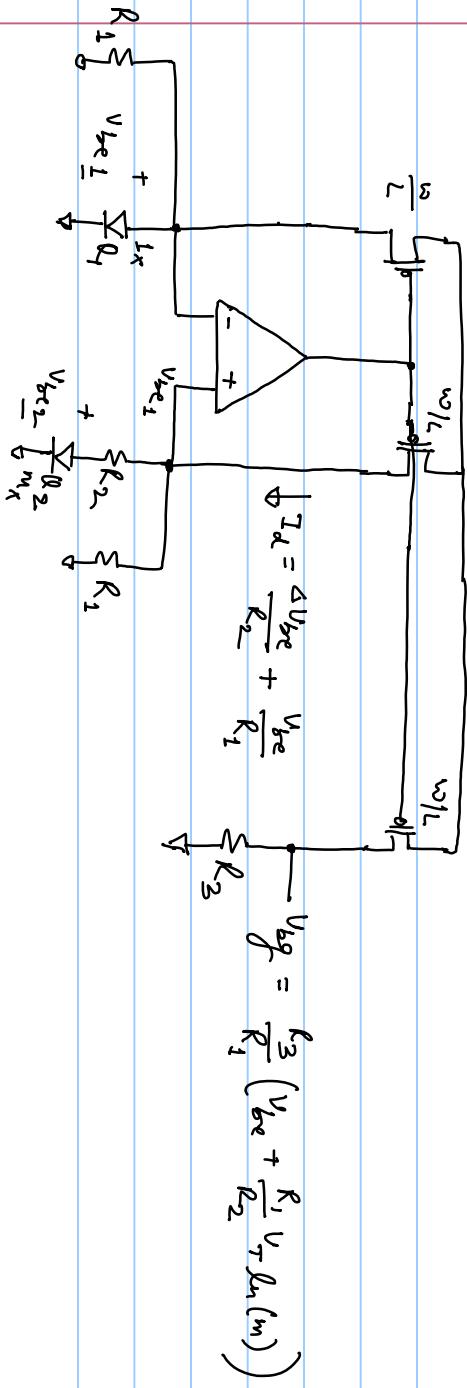
$$= \frac{R_3}{R_1} \left[V_{be} + \frac{R_1}{R_2} V_T \ln(m) \right]$$

$\xrightarrow{\text{Standard } 1.2V \text{ Bandgap}}$

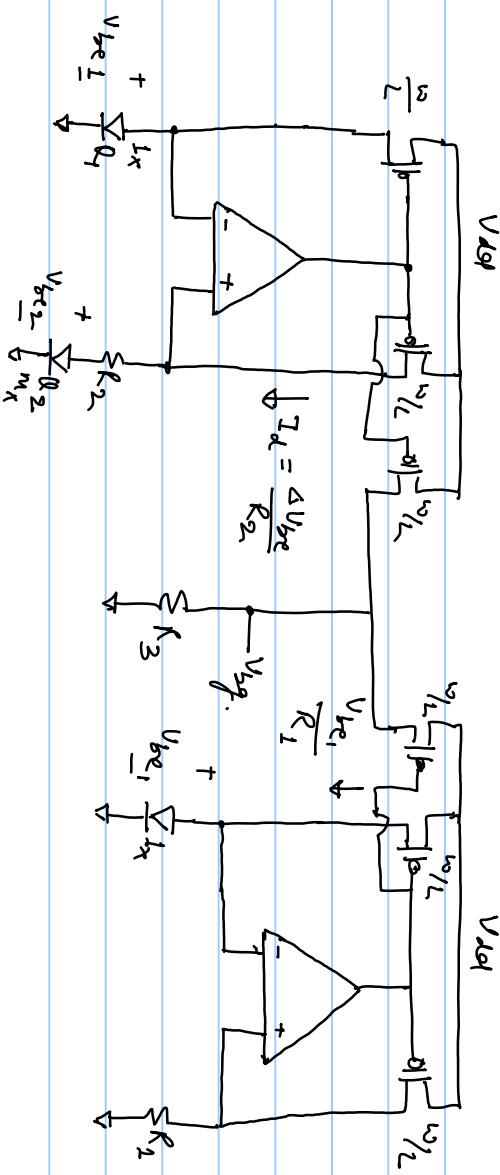
Scaling factor.

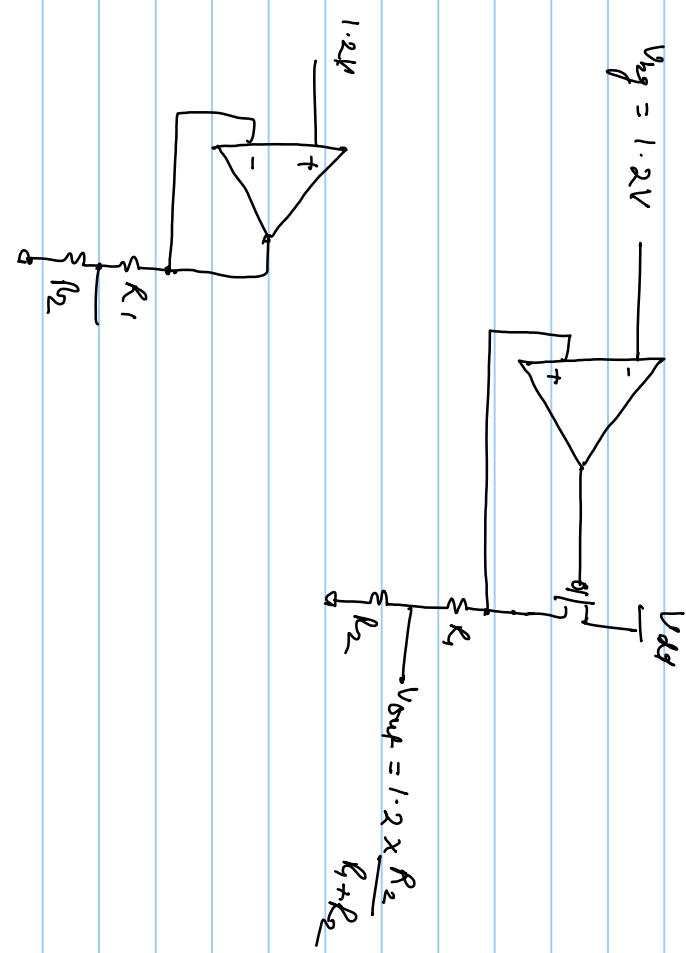
$\frac{R_1}{R_2}$ → decides temperature coefficient

$\frac{R_3}{R_2}$ → decides output voltage



Re-design using single approach



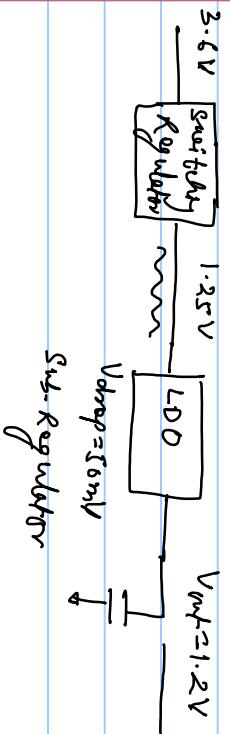


Linear Regulator

Also called LDO (Low drop-out Regulator)
when operated at low ($V_{in} - V_{out} = V_{drop}$)

Applications of LDO

① sub-regulators



- ② Parallel or Auxiliary current source.

High BW



- # Linear Regulator supplies current during transient
- # Switching Regulator supplies average current
- # Achieves faster transient response

(3) Regulated power supply

- # higher load current if V_{drop} is low (< 10%),
- # lighter load currents if V_{drop} is high (< 50mA)

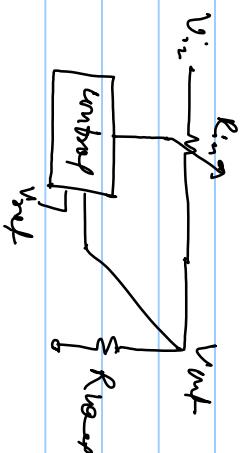
Designing Linear Regulator

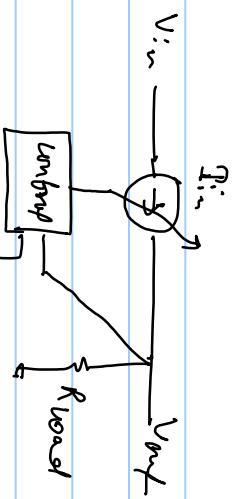
$$V_{in} = 3.6V \quad V_{out} = 1.2V$$

$$V_{out} = \frac{R_{load}}{R_{in} + R_{load}} \times V_{in}$$

Varies with load current & V_{in}
⇒ we need to vary R_{in} if V_{in} or R_{load} is varied

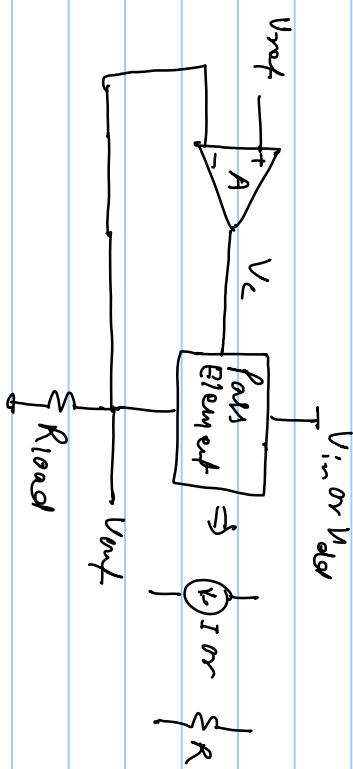
$$V_{out} = \frac{R_{load}}{R_{in} + R_{load}} \times V_{in}$$





$$I_{in} = I_{load}$$

V_{in} or V_{out}



$$I = g_m V_c \Rightarrow V_C C_S$$

$$R \propto V_c \Rightarrow V_C R$$